

## UNIT-II

### WATER TANKS.

#### TOPICS

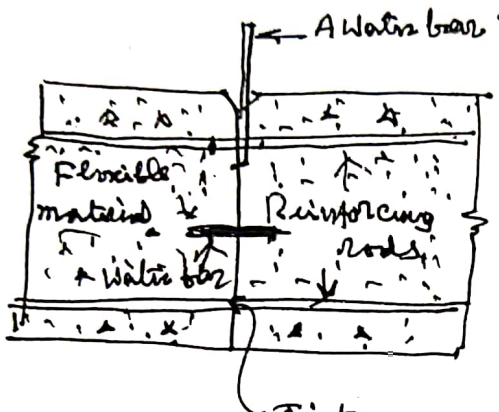
1. Circular and Rectangular tanks resting on the Ground
2. Elevated tanks
3. Design of Stairing
4. Intz Tank
5. Underground Rectangular Tank (not in the syllabus)

DR. B. L. P. S.

# Joins in liquid retaining structures

## MOVEMENT JOINTS.

### 1) Contractive joints

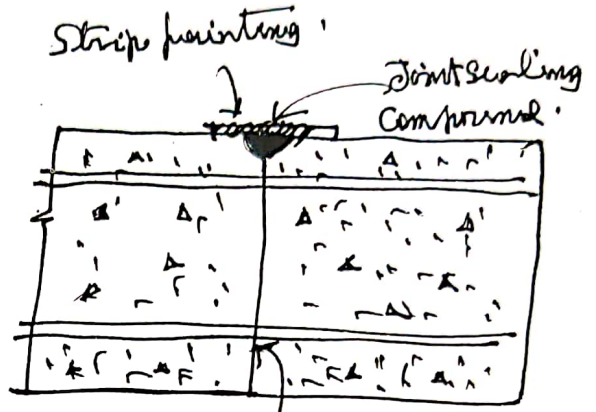


Reinforcement is continuous and concrete is discontinuous. Water bar is of flexible material

like metal or PVC or rubber.

#### a) Complete Contractive joint

The materials used as fillers are all highly impermeable.

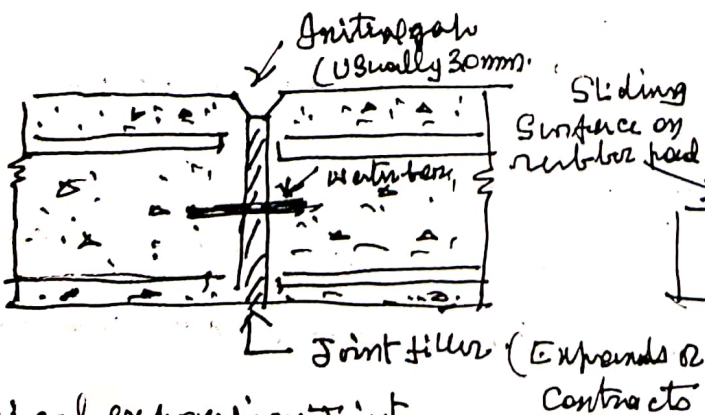


Reinforcement is continuous and concrete is also discontinuous

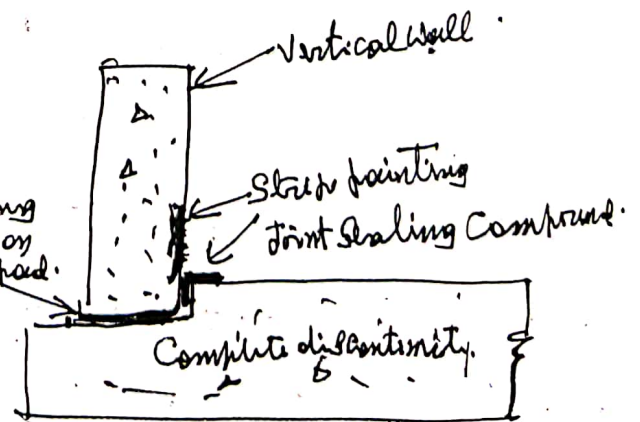
Joint Sealing Compounds are asphalt, Bitumen, Coal tar etc. With or without fillers. Fillers are slate dust, lime stone, asbestos fibre etc.

#### b) Partial Contractive joint

### 2) Expansion Joints



#### a) Typical expansion joint



Base slab. Used mostly in cylindrical towers.

#### b) Typical Sliding joint

## WATER TANKS INTRODUCTION:

A Water tank is used to store water to tide over its daily requirements. In the construction of concrete structures for the storage of water, or other liquids, the imperfections of concrete is very important.

### Imperfections:

It mainly depends on the mix proportions, cement content, water-cement ratio and degree of compaction. Hence, a lower limit water cement ratio for given materials of concrete is to be followed. The cement content should not be less than 330 kg and not more than 530 kg /  $\text{m}^3$  of concrete.

It should be thoroughly vibrated and compacted. Generally a rich mix like M30 is preferable. Segregation and honeycombing should be avoided.

### Cracking

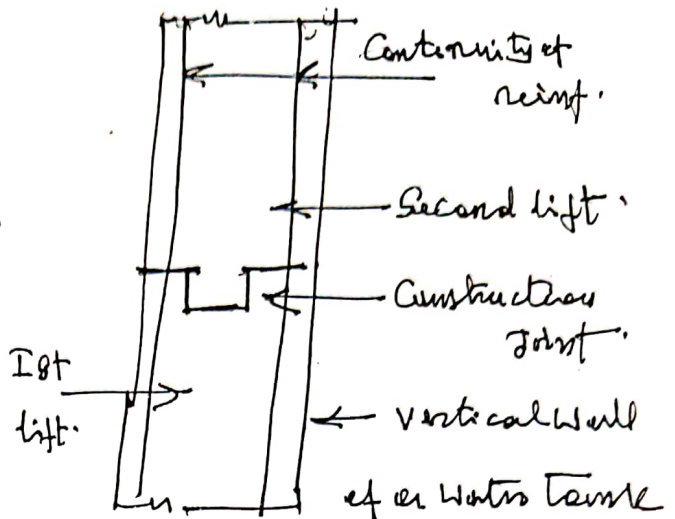
Cracking of concrete due to its large tensile strength should be avoided. Concrete should not crack on its water face. Cracking may also result due to restraint to shrinkage or temperature. Use of small sized bars cement plastering is desirable. Heat of hydration should be dispensed freely from the joints. Use of flat bottom and sliding joints would help in preventing cracking. Joints should be minimized.

## 3) Construction Joints

It is fully continuous.

It is provided for convenience of construction. It is a rigid joint.

Care should be taken to avoid precipitation of water.



Construction Joint.

## OTHER SPECIFICATIONS.

### Min. Reinforcement

For thickness of the element up to 100 mm thickness the min. reinforcement should be 0.30. For 450 mm thickness it should be 0.20. It is in each direction.

For thickness from 100 mm to 450 mm it is  $= 0.30 - 0.1 \frac{(t - 100)}{(450 - 100)}$

't': Thickness between 100 mm to 450 mm.

If  $t > 225$  mm, then two layers of bars are provided on both faces.

Total steel area combd = Min. requirement.

### Cover to Reinforcement.

- 1) For faces in contact with water = 25 mm or dia of the bar whichever is greater.
- 2) " " arising from water = like other R & C components.
- 3) For sea water, ground or water of corrosive nature  
Practical thickness: 12 mm extra (not in dia)

Table: Permissible stresses in concrete

Concrete Grade.	permissible stress in tension in $N/mm^2$		Permissible stress in shear, $N/mm^2$
	Direct.	Bending	
M20	1.2	1.7	1.7
M25	1.3	1.8	1.9
M30	1.5	2.0	2.2
M35	1.6	2.2	2.5
M40	1.7	2.4	2.7

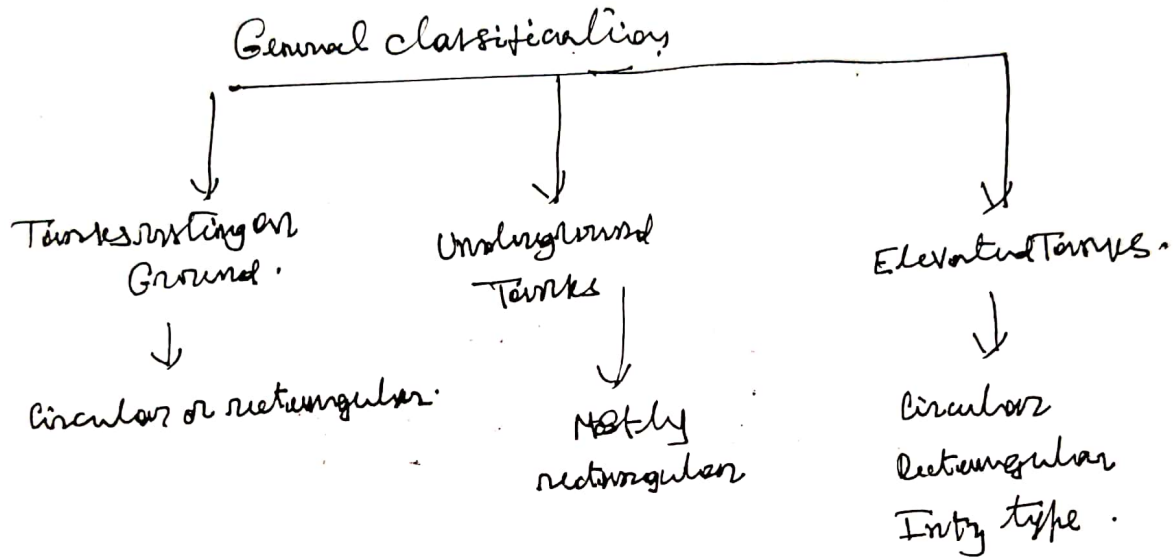
Table: Permissible stress for steel reinforcement.

1. <del>Direct tensile stress</del>	Permissible stress in $N/mm^2$	
	Mild steel	HYSD bars
1. Direct tensile stress	<del>150</del> 115	150
2. Tensile stress in bending		
a) on ligand retensioning force	115	150
b) on force away from the ligand		
$< 225$ mm thick	115	150
$> 225$ mm thick	120	175
3. Tensile stress in shear reinf.		
a) $< 225$ mm thick	115	150
b) $> 225$ mm thick	125	175

# WATER TANKS

## INTRODUCTION

To meet the daily requirement of water by industries, campuses, localities, towns and cities various types of R.C. water tanks.



## I.S. CODE

IS 3370-1967 revised in 1997 and 1999 deals with water tanks.

There are four parts.

- Part I — General requirements
- Part II — RCC tanks
- Part III — Prestressed concrete structures
- Part IV — Design Tables.

## Method of Design.

To avoid leverage problems <sup>provision</sup> LFD should not be used. IS 456 (working stress method) is referred for permissible stresses.

# Methods of Analysis



Exact methods.

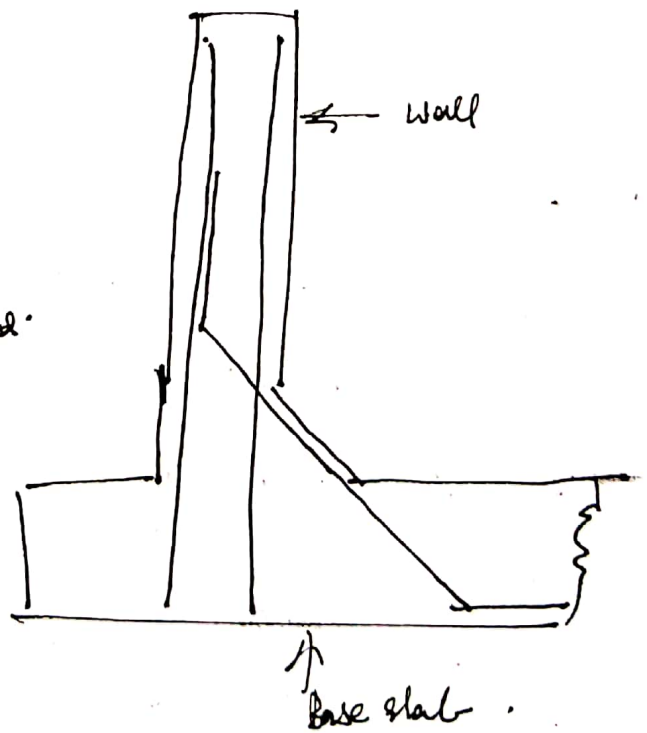
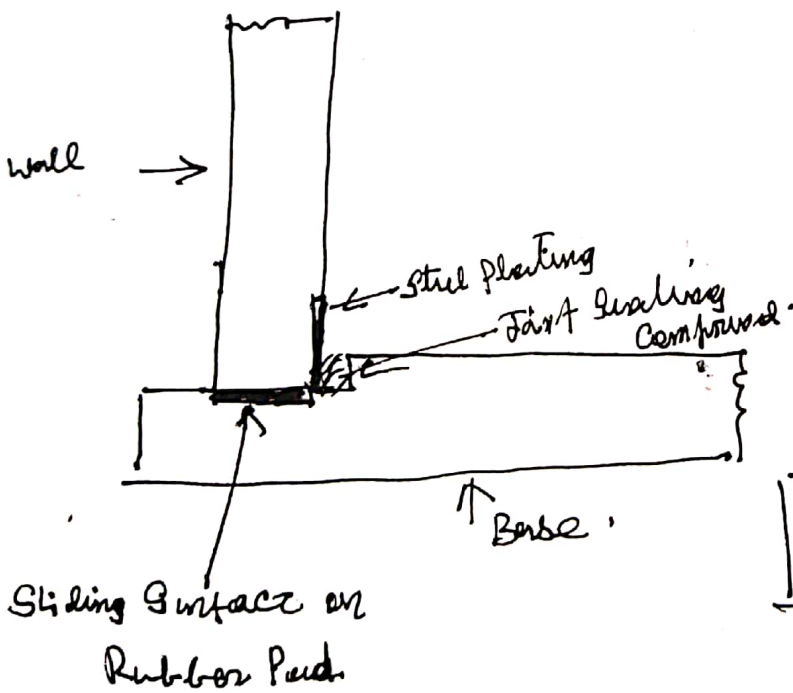
They are somewhat complicated. Coefficients are given based on the analysis conducted by using plate theory or FEM. More economical.

Approximate Methods

They are safe. These methods are simpler. But not so economical.

## I. CIRCULAR TANK RESTING ON GROUND

a) Flexible Base and b) Rigid Base

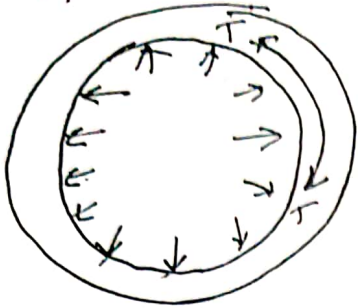


a) Flexible base

The tank wall is subjected to only hoop tension.

b) Rigid Base

a) Flexible Base



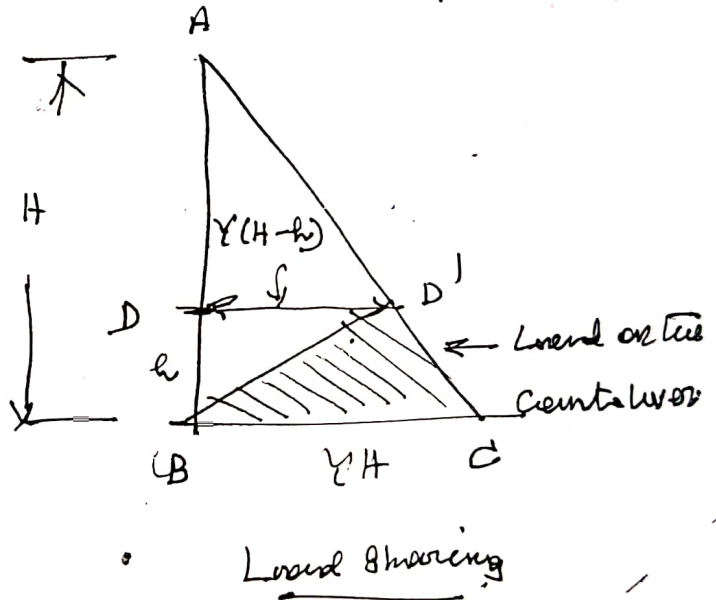
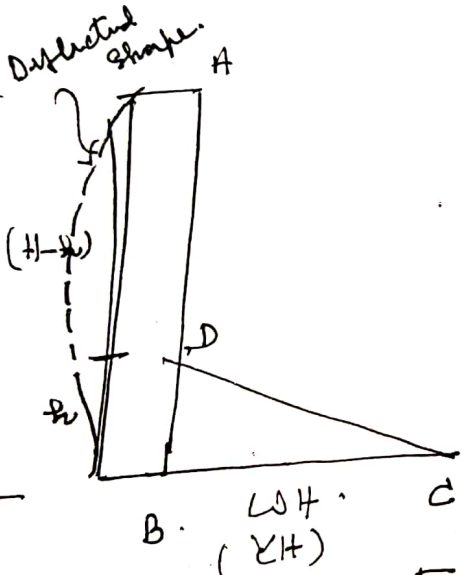
$T = \frac{\gamma H D}{2}$ ,  $\gamma$ : unit wt. of water  
(Tension),  $D$ : Dia. of the tank  
 $H$ : Ht. of the tank

In the case of a circular tank with flexible base the

Complete height of the tank is subjected to Hoop tension. Reinforcement for hoop tension is provided horizontally in the form of hoops

b) Rigid Base

In the vertical direction, nominal reinforcement is provided,



1) Load for Centiliner action.

In the approximate method,

Bottom  $\frac{h_0}{3}$  or 1m (whichever is greater) is treated as Centiliner

The remaining height above the Centiliner is designed for hoop tension by moment about the base due to the

Load taken by the Centiliner =  $\frac{1}{2} \gamma H \cdot h_0 \cdot \frac{h_0}{3} = \frac{\gamma H h_0^2}{6}$

In the remaining height above the Centiliner,

Max. hoop tension =  $\frac{\gamma (H - h_0) D}{2}$ , The reinforcements are designed accordingly.



### EXAMPLE (Flexible Base.)

Design a circular water tank with flexible base resting on the ground to store 50,000 lit. of water. The depth of the tank may be kept at 4m. Use M25 concrete and Fe415 steel.

### SOLUTION.

$$\text{Capacity of the tank} = 50,000 \text{ lit.} = 50 \text{ m}^3$$

$$\text{Depth of the tank} = 4 \text{ m.}$$

$$\text{Hence } \frac{\pi D^2}{4} \times 4 = 50, \text{ Solving } D = 3.989 \text{ m say } 4.0 \text{ m.}$$

$$\text{Allowing } 200 \text{ mm free board, overall depth} = 4.2 \text{ m.}$$

$$\text{Taking unit wt. of water } = 980 \text{ kg} = 9.8 \text{ kN/m}^3$$

$$\left. \begin{array}{l} \text{Permissible stress in steel Fe 415 for direct tension} \\ = 150 \text{ N/mm}^2. \\ \text{Permissible direct tension in M25 concrete} = 1.3 \text{ N/mm}^2. \end{array} \right\}$$

$$\begin{aligned} \text{Max. hoop tension} &= \frac{pD}{2} = \gamma H \cdot \frac{D}{2} = 9.8 \times 4.2 \times \frac{4}{2} \\ &= 82.32 \text{ kN/m height at the base.} \end{aligned}$$

$$\begin{aligned} \text{Area of steel required for hoop tension} &= \frac{82.32 \times 1000}{150} \\ &= 548.8 \text{ mm}^2 \end{aligned}$$

$$\text{Using } 12 \text{ mm bars, Spacing} = \frac{\frac{\pi}{4} \times 12^2}{548.8} \times 1000 = 206 \text{ mm.}$$

Provide 12  $\phi$  @ 200 c/c along the height

$$\text{A<sub>st</sub> (Provided)} = \frac{\pi}{4} \times 12^2 \times \frac{1000}{200} = 565.5 \text{ mm}^2 / \text{m. height.}$$

\* Towards top, the water pressure and hence the hoop tensions get reduced. Hence at 1.5m above the base provide 12 $\phi$  @ 300 $\phi$ c in the remaining portion of the wall.

Thickness of the wall If 't' is the thickness of the wall over 1m ht. the equivalent area of concrete is

$$1000t + (m-1)A_{st}$$

$$m = \frac{280}{3 \times \sigma_{cbc}} = \frac{280}{3 \times 8.5} = 11$$

$$A_{st} = 565.5 \text{ mm}^2, \text{ For M25, permissible stress in tension} = \sigma_c = 1.3 \text{ N/mm}^2$$

$$\text{Total tensile force } T = 82.32 \text{ kN}$$

Equating,

$$1.3 = \frac{82.32 \times 1000}{1000t + (11-1)565.5}$$

$$\text{Solving, } t = 57.66 \text{ mm, Provide } t = 100 \text{ mm.}$$

Vertical steel

Providing minimum reinforcement at 0.3%

$$A_{st} / m = \frac{0.3}{100} \times 100 \times 1000 = 300 \text{ mm}^2$$

$$\text{Using } 8\phi; \text{ Spacing} = \frac{\frac{\pi}{4} \times 8^2}{300} \times 1000 = 167 \text{ mm}$$

Provide 8 $\phi$  @ 150 $\phi$ c vertically.

Base slab.

As the load is directly transferred from the slab to the soil, nominal thickness with minimum reinf. is sufficient.

Providing 150 mm thickness,

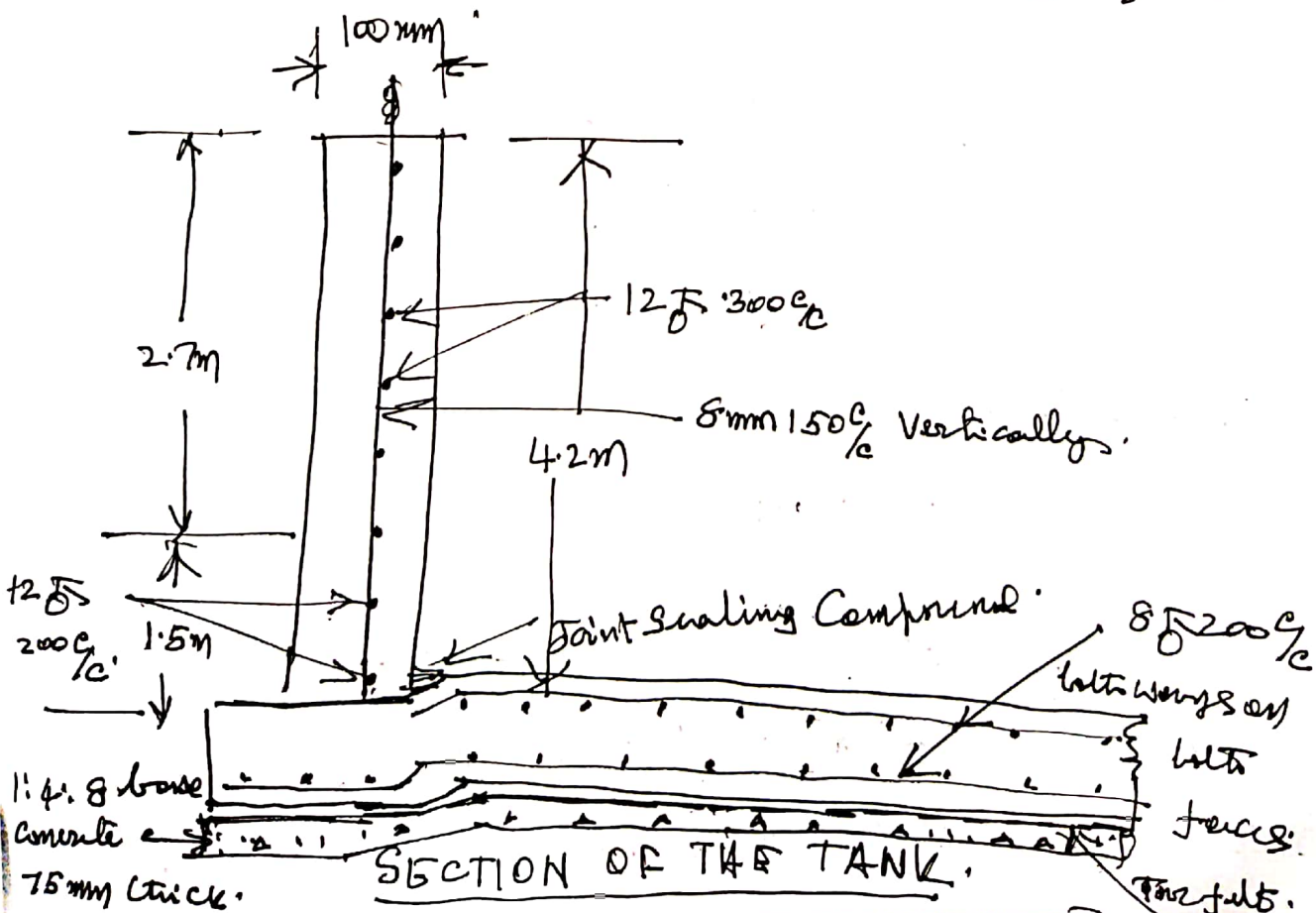
$$\text{Stk reinf. (at 0.3\%)} = \frac{0.3}{100} \times 150 \times 1000 = 450 \text{ mm}$$

Providing equally at top and bottom of the slab,

$$\text{Stk on one face} = \frac{450}{2} = 225 \text{ mm}$$

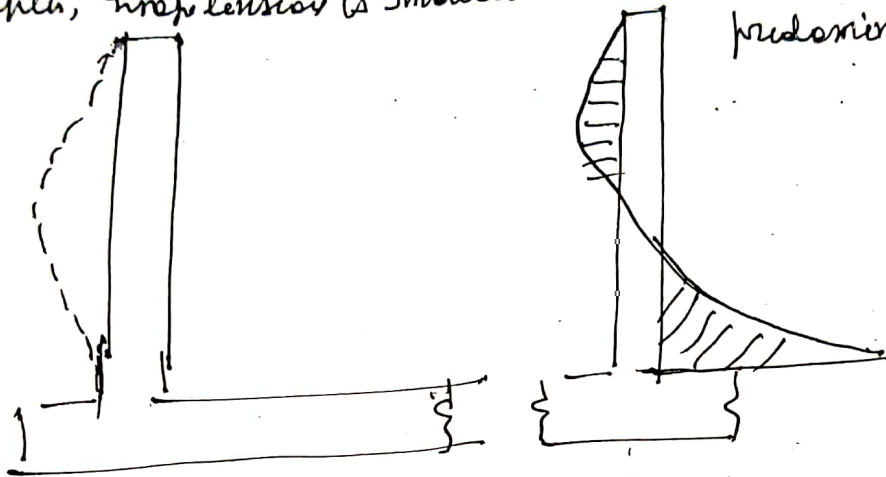
$$\text{Spacing of } \phi 8 = \frac{\frac{\pi}{4} \times 8^2}{225} \times 1000 = 223 \text{ mm}$$

Provide 220 mm on both faces.

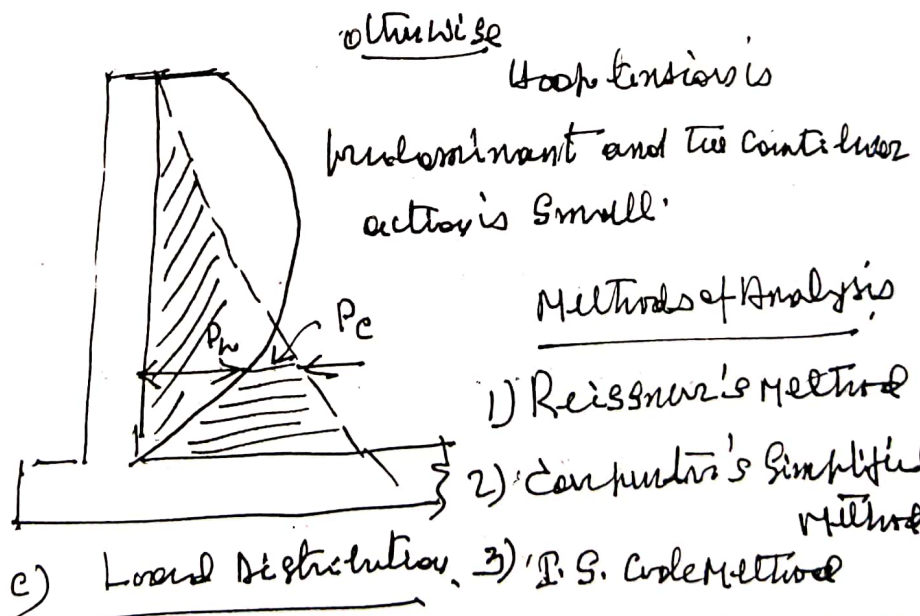


## Circular Tanks with Rigid Base.

When the joint between the wall and the base is rigid, there is no horizontal displacement of the wall.  
~~Tanks~~ In the case of tanks with large diameter and small depth, hoop tension is smaller and the circumferential stress is predominant.



a) Deflected Shape.      b) BMD



## 1) Reissner's Method

The max. moment  $M_{\frac{1}{2}}$  and max. tension are given in terms of coefficients (Tables are given) and a parameter given by,

$$k = \frac{12(H)^4}{\left(\frac{D}{2}\right)^2 T^2} = \frac{48H^4}{D^2 T^2} \text{ where}$$

H: Height

D: Diameter

T: Thickness

Parameter 'k' can be determined

'f' can be found in the beginning by an approximate formula as  $T = (30H + 50) \text{ mm}$  <sup>in mm</sup>

## 2) Carpenter's Simplified Method

Simplified expressions are given as

1) Position of Max. hoop tension above the base =  $kH$

2) Max. hoop tension =  $w(H - kH) \frac{D}{2} = w \frac{D}{2} H (1 - k)$

3) Max. Cantilever moment =  $FwH^3$

The values of k and f can be taken from the tables.

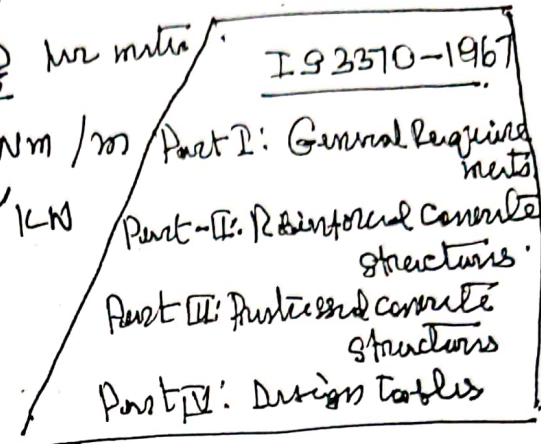
### 3. I.S. Code Method (3 tables are considered)

Tables are given for various  $H^V/DT$  values for various depths  
the coefficients are given for max. tension and moment.

Hence Tension =  $C_{10} \times \omega H \frac{D}{2}$  kg/m<sup>2</sup>

Moment =  $C_{20} \times \omega H^3$  Nm/m

Shear =  $C_{30} \times \omega H^2$  kN



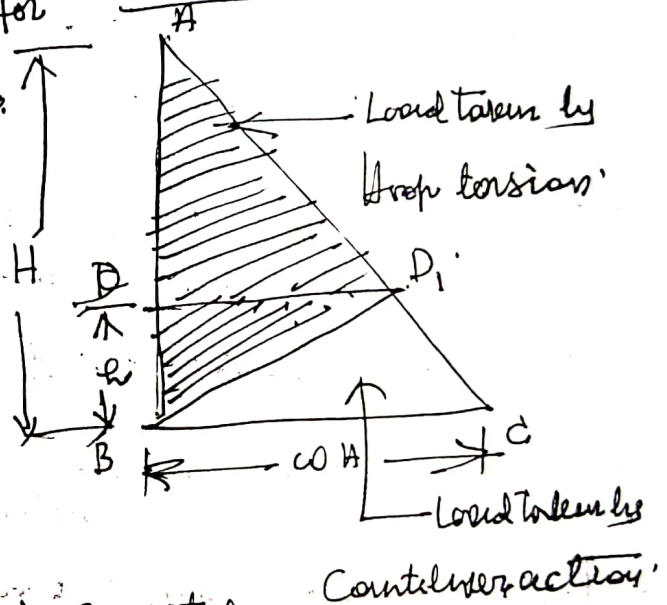
### 4. Approximate Method:

Controlled action is considered for  
bottom  $\frac{H}{3}$  or  $l_m$  whichever is greater.

In the I.S. Code method we have

for  $\frac{H^V}{DT}$  between 6 to 12 controlled  
action is predominant.

For  $\frac{H^V}{DT}$  between 12 to 40 hoop  
tension is predominant.



In the figure, Max. hoop tension is computed

at the point  $D_1$  for a height of  $(H - h_c) = \omega (H - h_c) \frac{D}{2}$ .

The area of the triangle  $D_1 B C$  gives the load on the controlled action.

The controlled reinforcement is provided against the max. moment  
occurring at the rigid end at the base. The reinforcement is  
provided on the inner face vertically. Above the point  $D_1$  the  
spacing of the reinforcement may be increased.

that reinforcement in the form of rings may be provided on both faces. But as the joint D, the spacing of the rings may be increased.

### Example on IS Code Method

A circular tank has an internal diameter of 10m. Max. height of water in the tank is 4m. The wall of the tank are restrained at the base. Determine the values of max. hoop tension and its location and max. moment and shear at the base using I.S. Code Method.

Assume thickness of wall as 160mm.

SOLUTION We get  $\frac{H^2}{DT} = \frac{4^2}{10 \times 0.16} = 10$

From table D of IS 3370 - Part II, for  $\frac{H^2}{DT} = 10$ ; we find that

the max. tension at (0.6H = 2.4m) or  $\approx 0.608$ .

Hence, max. hoop tension =  $0.608 \times 10 \times \frac{D}{2} = 0.608 \times 9800 \times 4 \times \frac{10}{2}$   
 $= 11968 \text{ N}$

Now, for  $\frac{H^2}{DT} = 10$ , we get from table Z, the moment coefficient  $-0.0122$ . (-ve indicates tension on the inside face.)

Hence, moment at top base =  $-0.0122 \times 9800 \times 4^3 = -7652 \text{ Nm/m}$  (outside)

For  $\frac{H^2}{DT} = 10$ ; from table (Z), coeff. for shear =  $0.158$  at the base.

Hence, shear =  $0.158 \times 10 \times 9800 \times 4^2 = 24174 \text{ N}$  acting inwards inside.

### EXAMPLE ON RIGID BASE: (Approximate Method.)

(Noting on the ground)  
Design the water tank assuming that the joint between

Wall and base slab is rigid. Use Approximate Method.

Capacity = 50,000 lit. Depth of the tank = 4 m. Use M25 concrete and Fe 415 steel.

SOLUTION: We have kept  $D = 4\text{ m}$ ,  $H = 4.2\text{ m}$  including the floor board.

$$\text{We have } \sigma_{ce} = 85\text{ N/mm}^2, \sigma_{gt} = 150\text{ N/mm}^2, m = \frac{280}{3\sigma_{ce}} = 11$$

$$\text{Design Compressive stress, } n = \frac{m \sigma_{ce}}{m \sigma_{ce} + \sigma_{gt}} = \frac{11 \times 85}{11 \times 85 + 150} = 0.384$$

$$j = 1 - \frac{n}{3} = 1 - \frac{0.384}{3} = 0.872$$

$$R = \frac{1}{2} \sigma_{ce} j n = \frac{1}{2} \times 85 \times 0.872 \times 0.384 = 1.428$$

### CANTILEVER ACTION

Height for cantilever action above the base =  $\frac{H}{3} = \frac{4.2}{3} = 1.4\text{ m}$ .

$$\text{Hence } h = \frac{h_2}{3} = 1.4\text{ m}$$

$$\text{Cantilever moment} = \frac{1}{2} \times 24 \times h \times \frac{h}{3}$$

$$= \frac{1}{2} \times 9.6 \times 4.2 \times 1.4 \times \frac{1.4}{3} = 13.446\text{ kNm}$$

$$d = \sqrt{\frac{M}{R R}} = \sqrt{\frac{13.446 \times 10^6}{1.428 \times 1000}} = 97.3\text{ mm}$$

providing a minimum thickness of 50 mm is normally provided to avoid leakage. Hence provide  $d = 130\text{ mm}$  with overall thickness = 165 mm



$$A_{st} = \frac{M}{\sigma_{st} f_d} = \frac{13.446 \times 10^6}{150 \times 0.872 \times 130} = 790.8 \text{ mm}^2$$

Using 10 $\phi$ , spacing =  $\frac{\frac{\pi}{4} \times 10^2}{790.8} \times 1000 = 99.32 \text{ mm}$

Provide 10 $\phi$  95% vertically on the inside water face.

Provide a clear cover of 30 mm.

After 1.4 m height curtail half the bars and provide 10 $\phi$  190% in the remaining height of 2.8 m.

### SECTION FOR HOOP TENSION

At 1.4 m height above the base, Max. hoop tension =  $\gamma (H - h_0) \frac{D}{2}$   
(direct)

$$= 9.8 (4.2 - 1.4) \times \frac{4}{2} = 54.88 \text{ kN}$$

Area of steel  $A_{st} = \frac{54.88 \times 1000}{150} = 365.8 \text{ mm}^2$

Using 10 $\phi$ , spacing =  $\frac{\frac{\pi}{4} \times 10^2}{365.8} \times 1000 = \cancel{99.32} 214 \text{ mm}$

Provide 10 $\phi$  hoops 200% horizontally.

### TENSILE STRESS IN CONCRETE

$$A_{st}(\text{act.}) = \frac{\frac{\pi}{4} \times 10^2}{200} \times 1000 = 392.6 \text{ mm}^2$$

$$\sigma_{ct} = \frac{T}{\text{Equivalent Concrete Area}} = \frac{54.88 \times 1000}{165 \times 1000 + (11-1) 392.6}$$

(Tensile) direct

$$= 1.10 < 1.3 \text{ (Permissible tensile stress for M25)}$$

safe.

Reinforcement is provided @ 200% up to 1.4 m above the base. In the remaining, the spacing may be increased to 300% towards bottom.

## DISTRIBUTION STEEL

In the vertical direction,  $\text{Min. steel} = \frac{0.3}{100} \times 165 \times 1000 = 495 \text{ mm}^2$ .

We have already provided vertical steel for counter stress action.

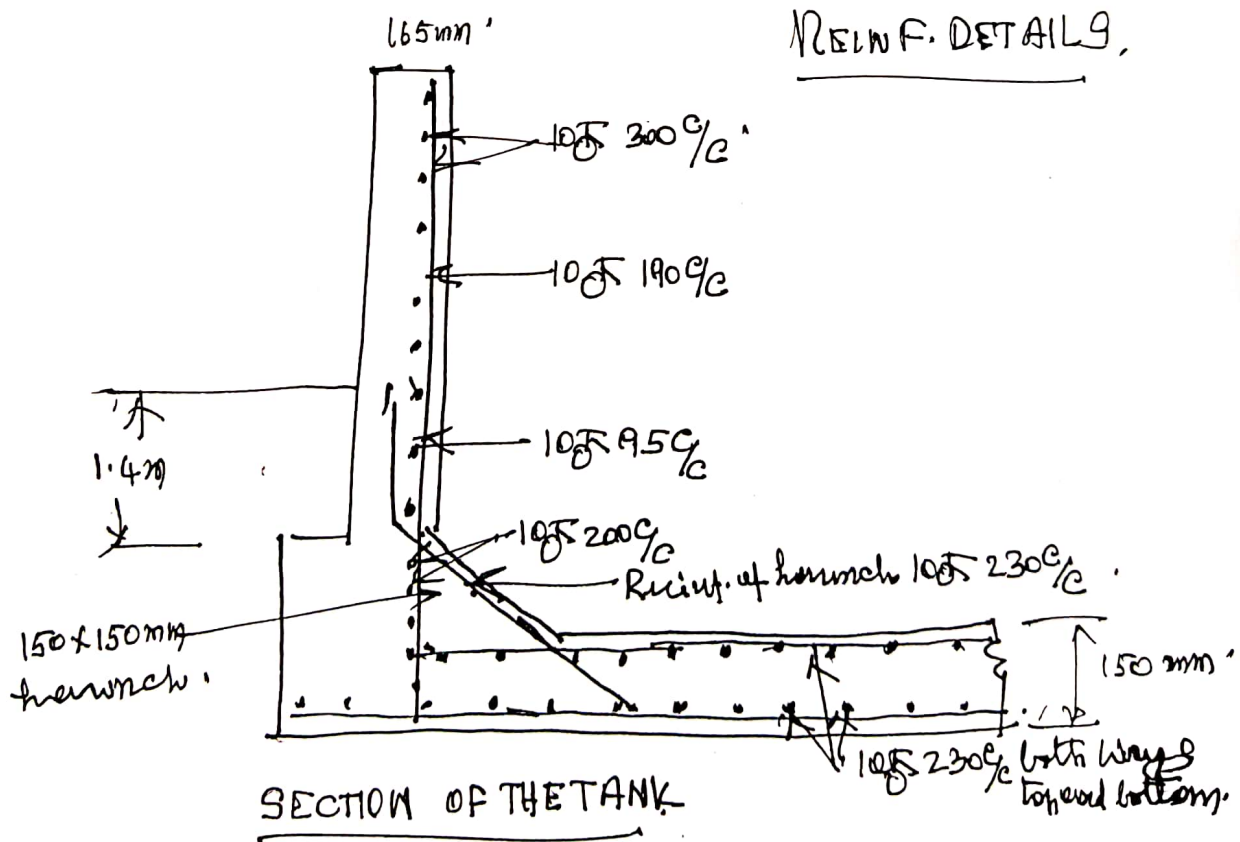
The same reinforcement of 10 $\phi$  95% up to 1.4m height and 10 $\phi$  190% above 1.4m. Serves the purpose of distribution steel also.

## BASE SLAB,

Provide 150 mm thick, 10 $\phi$  230% both ways top and bottom.

## HAUNCHES.

Provide 150 mm x 150 mm haunches with 10 $\phi$  230% to take up the counter stress moment at the base as development length.



# RECTANGULAR TANKS RESTING ON GROUND.

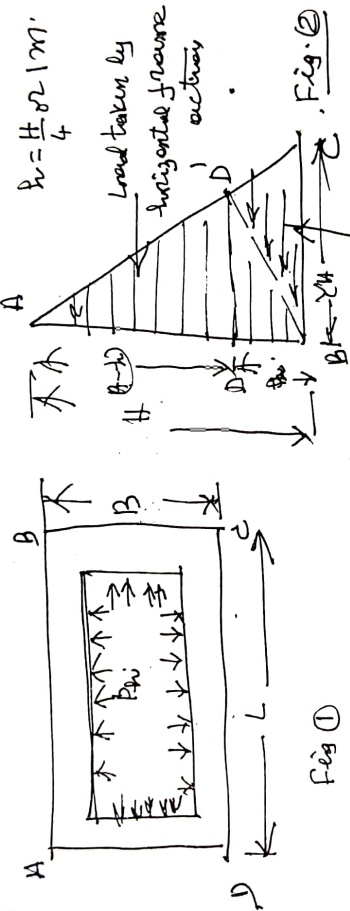
Dimensions of tank are  $L \times B \times H$ .

## APPROXIMATE METHOD.

There are two categories. 1) Tanks with  $\frac{L}{B} < 2$  2)  $\frac{L}{B} > 2$ .

### First Category ( $\frac{L}{B} < 2$ ).

Bottom portion is treated as cantilever case  $\frac{H}{4}$  or 1m whichever greater.



Three more. Cantilever moment

$$\text{In the wall at the base} = \frac{1}{2} \rho_w \cdot h_c \cdot \frac{h_c}{3}$$

For frame action moment pressure is at  $(H-h_c)$  from top.

Hence horizontal pressure for any  $y = \rho_w \cdot y \cdot (H-h_c)$ .

Considering this as a UDL, the FEM at A' =  $\rho_w \cdot \frac{B}{12}$  and  $\rho_w \cdot \frac{L^2}{12}$ .

These moments are tabulated at the joint by moment distribution.

There is horizontal tensile force developed as long wall supports short wall and sheet wall supports long wall.

Hence the horizontal forces (Reactions) developed in the walls,

$$\text{In the long wall} = T_L = \gamma (H-h) \cdot \frac{B}{2} = M \quad (\text{Max.})$$

$$\text{In the short wall} = T_B = \gamma (H-h) \cdot \frac{L}{2} = M \quad (\text{Max.})$$

Against the torsion, tensile reinforcement is kept in the walls. This tensile force acts at some distance w.r.t the centre of thickness of the wall.

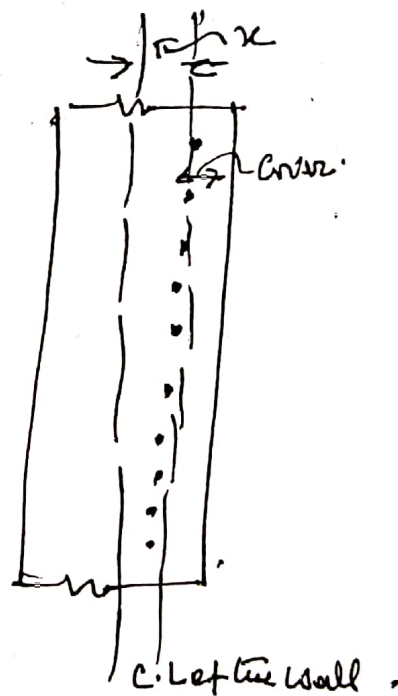
Hence, this develops a moment =  $T \cdot x$

Hence, the net moment at the joint =  $M - T \cdot x$

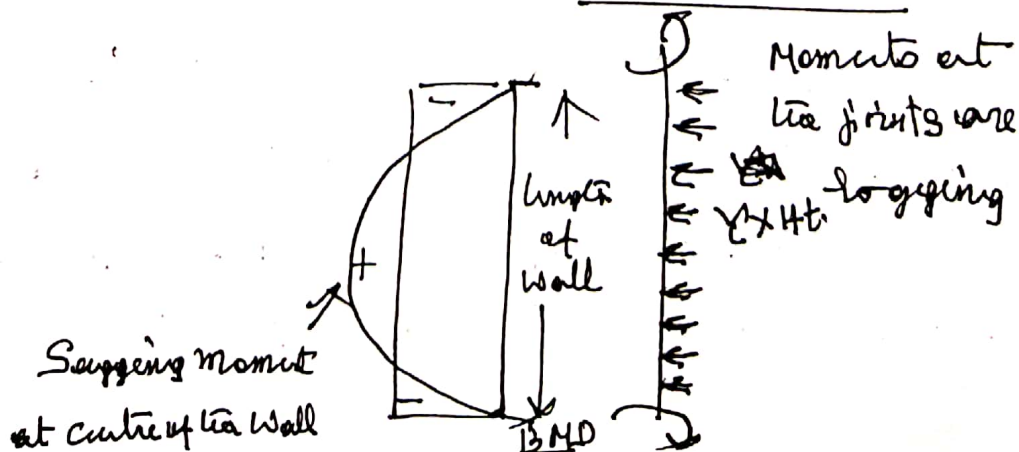
As for the variation of the B.M in the wall the moment is (B.M.D) hogging at the joints and sagging at centre.

Hence, Reinf. is on the inside at the corners.

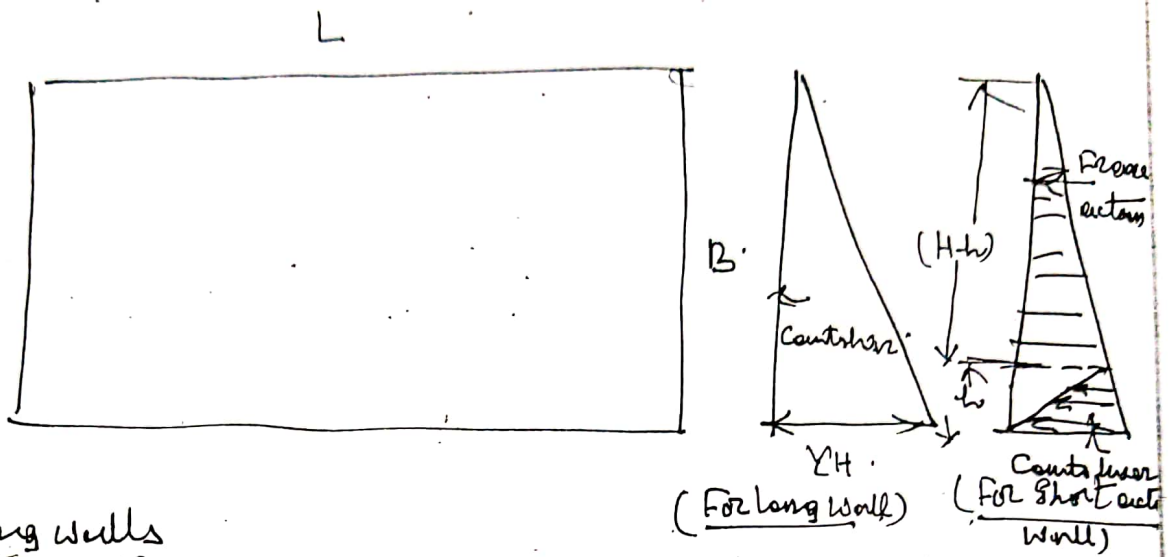
Reinf. is on the outside at centre.



Along the height of the wall



Second Category  $\left[ \frac{L}{B} > 2 \right]$



Long walls

They are considered as cantilevers over the entire height of 'H'. Hence vertical reinf. against maximum cantilever moment is provided on the inside water face.

$$\text{Tension in the long wall} = T_L = \gamma (H - h) \frac{B}{2}$$

(because for short walls cantilever action is considered up to 'h' above the base. Hence tension in the long wall is considered at this point.)

Horiz. reinf. or (minimum 0.3%) whichever is greater is provided in the long wall. ~~Reinf.~~

Short wall

$$\text{Cantilever moment} = \gamma H \cdot \frac{h^2}{6}$$

$$\text{Due to frame action, the jt. moment} = \frac{\gamma (H - h) B^2}{16} \quad (\text{In one face})$$

Some at centre also may be taken (counter force)  
Reinf. is provided accordingly.

For short wall, the tension is produced by the long walls.  
But the long walls are considered as cantilevers over the entire height. But the 1m. portion of the long wall at the joints is considered for producing tension in the short wall.

Hence, in the short wall,  $T_B = \gamma(H-h_0) \times l$

Hence the reduction in the ~~joint~~ B.M. of the short wall  
 $= T_B \times x.$

Reinf. for B.M. and direct tension are calculated separately and provided as total horizontal steel.

### EXAMPLE

Design a rectangular water tank of size 5m x 4m and 3m deep resting on firm ground. Use M25 concrete and mild steel.

### SOLUTION.

$L = 5\text{m}$ ,  $B = 4\text{m}$ ,  $H = 3\text{m}$ ,  $\frac{L}{B} = \frac{5}{4} = 1.25 < 2$   
For critical section is at  $H/3 = 1\text{m}$  which is more  
M25 concrete,  $\sigma_{cbc} = 8.5\text{N/mm}^2$ ,  $m = 11$

$\sigma_{st}$  (For mild steel) =  $115\text{N/mm}^2$ .

The design constants are,

$$n = \frac{m\sigma_{cbc}}{(m\sigma_{cbc} + \sigma_{st})} = \frac{11 \times 8.5}{(11 \times 8.5 + 115)} = 0.448$$

$$j = 1 - \frac{n}{3} = 1 - \frac{0.448}{3} = 0.850$$

$$R = \frac{1}{2} \sigma_{cbc} j n = \frac{1}{2} \times 8.5 \times 0.85 \times 0.448 = 1.619$$

Hence in this case, counter stress for the bottom  $h = 1\text{m}$  takes place for both 'L' and 'B'. In the remaining  $(H - h) = 2\text{m}$

horizontal action takes place.

### HORIZONTAL FRAME ACTION.

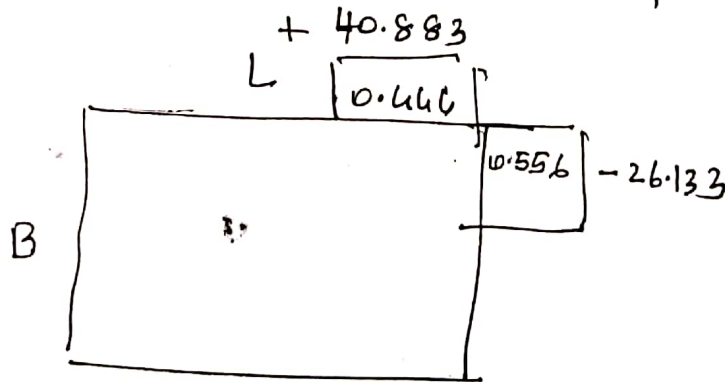
$$h = 1\text{m}, \text{ Hence } P_h = \gamma (H - h) = 9.8 (3 - 1) = 19.6 \text{ kN/m}^2$$

$$\text{Fixed-end moments are, } \frac{P_h L^2}{12} = \frac{19.6 \times 5^2}{12} = 40.833 \text{ kNm/for } (\text{long wall})$$
$$\frac{P_h B^2}{12} = \frac{19.6 \times 4^2}{12} = 26.133 \text{ kNm/for } (\text{short wall})$$

Maintaining the same thickness for both long and short walls,

The Moment distribution table is as follows.

Member	Stiffness	Total joint stiffness	Distribution factor
Short wall (B)	$\frac{4EI}{L} = \frac{4EI}{4} = EI$	1.8 EI	0.556
Long wall (L)	$\frac{4EI}{L} = \frac{4EI}{5} = 0.8EI$		<del>0.556</del> 0.444



Short wall	D.F	D.F	Long wall
	0.556	0.444	
	-26.133	+40.883	
	-8.2	-6.55	
	<hr/>	<hr/>	
	→ 34.333	34.333	



LONG WALL.

At the corner Moment = 34.333 kNm (Tension on the outside water face)

$$d = \sqrt{\frac{M}{Rt}} = \frac{34.333 \times 10^6}{1.619 \times 1000} = 146 \text{ mm.}$$

To keep the section under reinforced, keep overall thickness = 200 mm.

Hence  $d = 200 - 35 = 165 \text{ mm}$  (Provided).

Direct tensile force on long wall =  $T_L = P_w \frac{B}{2} = 19.6 \times \frac{4}{2} = 39.2 \text{ kN}$

" on short wall =  $T_B = P_w \frac{L}{2} = 19.6 \times \frac{5}{2} = 49 \text{ kN}$

Eccentricity of the reinforcement from the centre is

$$= \frac{200}{2} - 35 = 65 \text{ mm.}$$

Hence, design moment at corner =  $M - Tx$

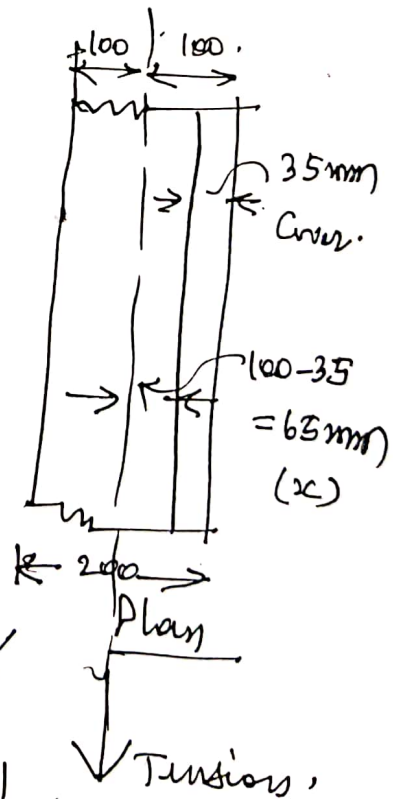
$$= 34.333 - 39.2 \times 0.065 = 31.785 \text{ kNm}$$

Hence, at corner, the horiz. steel

$$= \frac{31.785 \times 10^6}{115 \times 0.85 \times 165} = 1970 \text{ mm}^2.$$

Steel against direct tension =  $\frac{39.2 \times 10^3}{115} = 341 \text{ mm}^2$

Hence, total horizontal steel =  $1970 + 341 = 2311 \text{ mm}^2$ .



## Reinforcement for short wall

$$\text{Net moment } M = 34.333 - T_B \cdot x = 34.333 - 49 \times 0.065$$

$$M = 31.148 \text{ kNm}$$

$$\text{Hence, } A_{st1} = \frac{31.148 \times 10^6}{115 \times 0.850 \times 165} = \frac{1931}{19.21} \text{ mm}^2$$

$$A_{st2} = \frac{49 \times 1000}{115} = 426 \text{ mm}^2$$

(Direction) Hence total  $A_{st} = A_{st1} + A_{st2} = \frac{1931}{19.21} + 426 = 2357 \text{ mm}^2$

$$\text{Using } 20\phi, \text{ spacing} = \frac{\pi/4 \times 20^2}{2357} \times 1000 = 133 \text{ mm}$$

Hence provide  $20\phi @ 130\%$  horizontally.

$$\text{At the middle of the wall, net B.M} = \gamma(L-h) \frac{B^2}{8} - \text{End moment}$$

$$= 9.8(3-1) \frac{4^2}{8} - 34.333 = 4.867 \text{ kNm (Small value)}$$

Hence min. steel is sufficient for this.

By bending half the bars of the end reinforcement  $\frac{B}{4}$  ( $=1\text{m}$ ) towards the inner face. Remaining is continued straight.

Hence at centre of the wall, reinf. provided is  $20\phi @ 260\%$  horizontally

The end reinf. is on the inside water face and the centre reinf. is on the outside.

Reinf. in two vertical directions (Bottom  $h = 1\text{m}$ )

$$H = 3\text{m}$$

$$\text{Counter moment at the base} = \sum H \cdot \frac{h^2}{6} = 9.8 \times 3 \times \frac{1^2}{6} = 4.9 \text{ kNm}$$

$$A_{st} = \frac{M}{\sigma_{st} \cdot d} = \frac{4.9 \times 10^6}{11.5 \times 0.65 \times 165} = 304 \text{ mm}^2 \text{ (Small)}$$

$$\text{Min. steel} = \frac{0.3}{100} \times 200 \times 1000 = 600 \text{ mm}^2$$

Half the steel is provided on each face.

Hence, on each face, the vertical distribution steel (Using 10 $\phi$ )

$$\text{Spacing} = S = \frac{\frac{\pi}{4} \times 10^2}{304} \times 1000 = 258 \text{ mm}$$

Provide 10 $\phi$  250% vertically on each face.

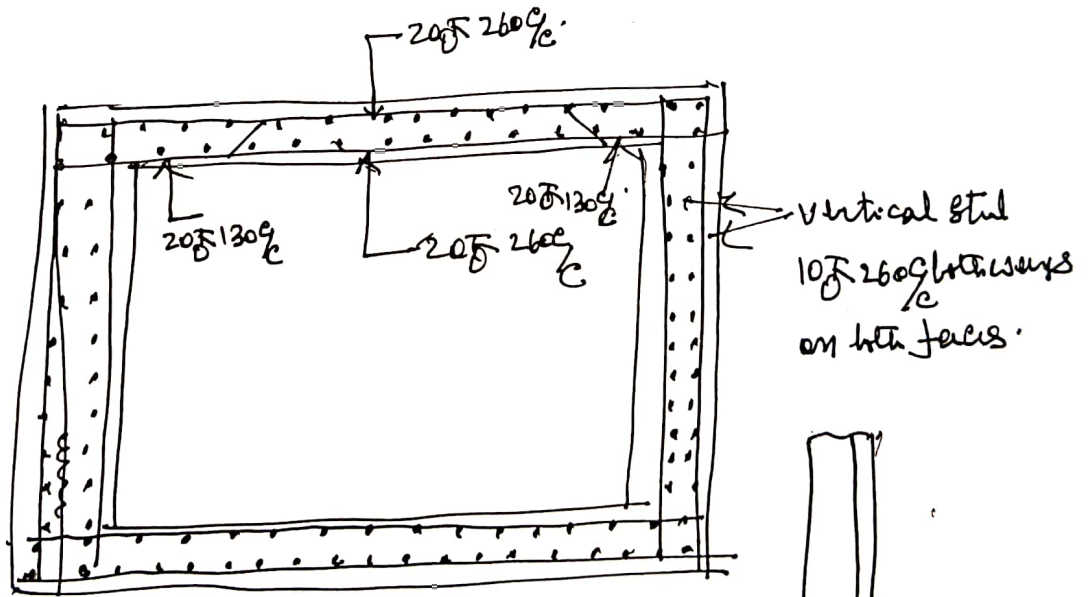
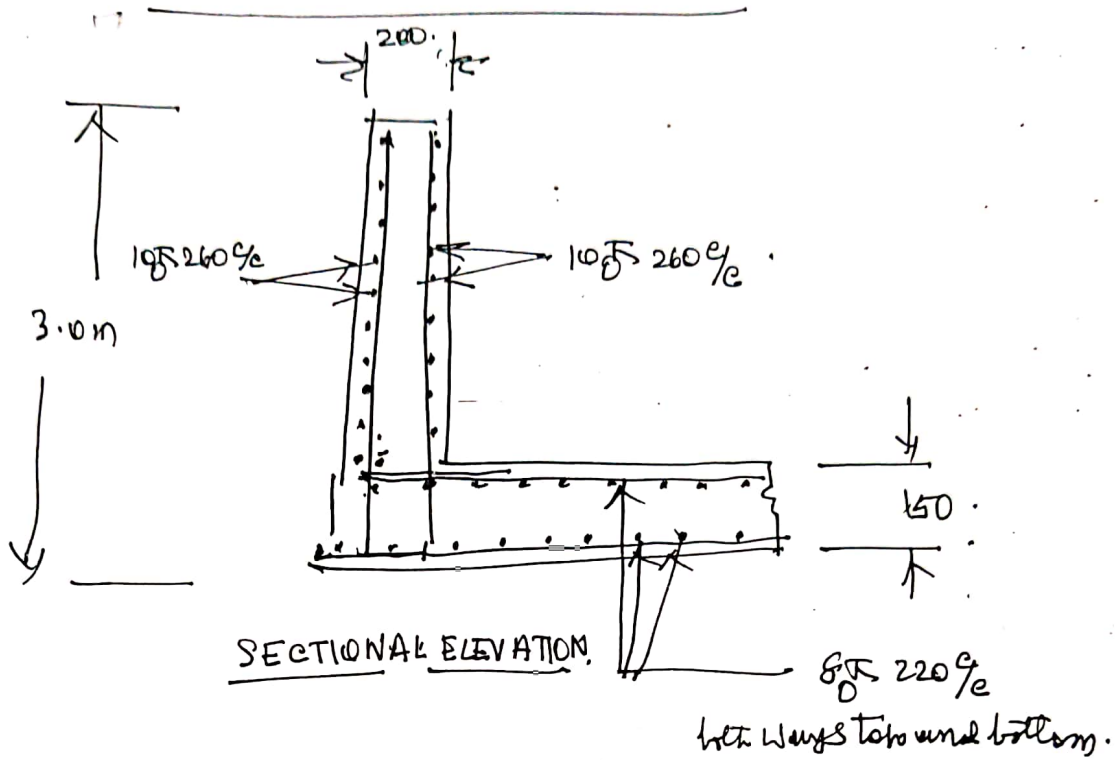
BASE SLAB

Provide nominal 150 mm thickness with 8 $\phi$  220%

both ways at top and bottom. A heavy concrete bed with PCC 1:4:8

of 100 mm thickness may be provided below the base slab.

# DETAILS OF REINFORCEMENT



NOTE: The inner bars are bent in the form of a loop to avoid bursting at the joint.

LOOP AT THE JOINT

CASE II

RECTANGULAR WATER TANKS [WITH  $\frac{L}{B} > 2$ ]

Long walls.

They behave like cantilevers of height 'H'.

Hence the cross and area of vertical steel are calculated.

Steel may be curtailed towards top.

Short wall

Lower portion is considered as cantilever over 'h'

The remaining portion (H-h) is considered for horizontal frame action as discussed in the previous case.

Hence cantilever moment in short wall =  $(\frac{1}{2} \gamma H \cdot h) \frac{h}{3} = \frac{\gamma H \cdot h^2}{6}$

Due to horizontal frame action B.M may be taken =  $\frac{\gamma(H-h) B^2}{12}$  (Tension on the water face) (at the ends)

At centre +ve B.M =  $\frac{\gamma(H-h) B^2}{8} - \frac{\gamma(H-h) B^2}{12} = \frac{\gamma(H-h) B^2}{24}$

For short wall, tension is transferred from long wall only from the end 1/3 length. (Tension on the water face)

Direct tension in the long wall (Horizontal steel)

to be transferred from the short wall.  
This is considered only over 1/3 end length of the short wall.

Hence Direct tension in the long wall =  $T_{\sigma} = \gamma(H-h) \times \frac{B}{2}$

Hence the moment due to eccentricity =  $T_{\sigma} \cdot e$ ; Hence the net steel is usually minimum at 0.3l.

moment in the long wall = (Direct moment -  $T_{\sigma} \cdot e$ ). Steel in the long wall is provided for direct moment + Direct tension.

EXAMPLE: Design an open rectangular water tank  
of size 3m x 8m and 3m deep. Use M25 and Fe 415.

SOLUTION Design Constants.

$$\sigma_{cbc} = 8.5 \text{ N/mm}^2, \sigma_{st} = 150 \text{ N/mm}^2.$$

$$m = 11, \eta = 0.384, j = 0.872, R = 1.423.$$

$$\frac{L}{B} = \frac{8}{3} > 2.$$

LONG WALLS.

Consider action for the whole depth.

$$\text{Hence max moment at the base} = \frac{1}{2} \times H \cdot H \cdot \frac{H}{3} = \frac{H^3}{6} = \frac{9.8 \times 3^3}{6} = 44.1 \text{ kNm}.$$

$$d = \sqrt{\frac{M}{R_b}} = \sqrt{\frac{44.1 \times 10^6}{1.423 \times 1000}} = 176 \text{ mm}; \text{ Provide } D = 220, d = 220 - 35 = 185 \text{ mm}.$$

$$\text{Hence, vertical reinf.} = \frac{44.1 \times 10^6}{150 \times 0.872 \times 185} = 1823 \text{ mm}^2.$$

$$\text{Using } 16 \text{ mm } \phi, \text{ Spacing} = \frac{201}{1823} \times 1000 = 119 \text{ mm}.$$

Hence provide 16 $\phi$  110 c/c on the inner face.

To control the steel towards top, Considering any height 'h'

$$\text{The ratio of steel} = \frac{A_{st} h}{A_{st} H} = \frac{h^3}{H^3}, \text{ As per the code, the point of}$$

$$\text{control must be at } 0.62 + 12 \times \frac{\text{dia of top bar}}{1000} = 0.62 + \frac{12 \times 16}{1000} = 0.812$$

However, control half top bars at 0.9m above the base.

## Long wall - Reinf. in horizontal Direction

Direct tension in long wall transferred by the short wall is due to

$$T_L = \frac{\gamma(H-h)B}{2} \quad \text{Water pressure at } (H-h) \text{ where 'h' is the height considered above the base for a cantilever action in the short wall.}$$

$$h = 1 \text{ m.}$$

Hence  $T_L = \frac{9.8(3-1)3}{2} = 29.4 \text{ kN.}$

Hence, horizontal steel =  $\frac{29.4 \times 1000}{150} = 196 \text{ mm}^2$  (very small)

Hence, min. steel =  $\frac{0.3}{100} \times 220 \times 1000 = 660 \text{ mm}^2$ .

Hence, provide half (330 mm<sup>2</sup>) may be provided on each face.

Provide

Using 8 mm  $\phi$  150% horizontally on both faces. Provide both ways on the outer wall.

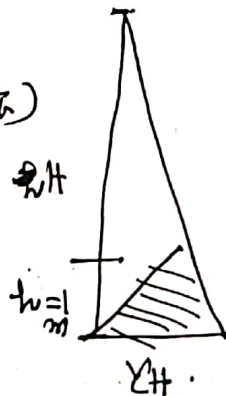
SHORT WALL Cantilever action ( $\frac{H}{3}$ )

Cantilever moment (in the bottom  $\frac{H}{3}$  length)

$$= \frac{1}{2} \gamma H \cdot h \cdot \frac{h}{3} = \frac{\gamma H h^2}{6}$$

Hence  $M = \frac{9.8 \times 3 \times 1^2}{6} = 4.9 \text{ kNm.}$

$$\frac{H}{3} = h = 1 \text{ m}$$



Agf. =  $\frac{4.92 \times 1000}{150 \times 0.872 \times 185} = 202 \text{ mm}^2$  (Too Small)

Hence min. steel of 8  $\phi$  @ 150% is provided vertically on each face

Horizontal steel

Water pressure for frame action =  $\gamma(H-h)$

$$= 9.8(3-1) = 19.6 \text{ kN/m.}$$

B.M. at ends =  $\frac{p_h B^2}{12} = \frac{19.6 \times 3^2}{12} = 14.7 \text{ kNm.}$

Actual tension due to 1m. long wall =  $T_B = \gamma(H-h) \times 1 = 9.8(3-1) = 19.6 \text{ kN.}$

$$\text{Hence, } A_{st1} = \frac{14.7 \times 10^6}{150 \times 0.872 \times 18.5} = 607 \text{ mm}^2$$

$$A_{st2} = \frac{19.6 \times 1000}{150} = 130 \text{ mm}^2$$

$$\text{Hence, total steel} = 607 + 130 = 737 \text{ mm}^2 \text{ (at the ends.)}$$

~~Hence provide~~ 12  $\phi$  spacing =  $\frac{113}{737} \times 1000 = 153 \text{ mm}$

Hence provide 12  $\phi$  @ 150% at the ends horizontally.

$$\text{At centre, +ve B.M} = \frac{P_u \cdot B^2}{24} \cdot l$$

$$P_u = \gamma(H-h) = 9.8(3-1) = 19.6 \text{ kN/m}^2$$

$$\text{Hence, +ve BM at centre} = \frac{19.6 \times 3^2}{24} = 7.35 \text{ kNm}$$

$$A_{st} = \frac{7.35 \times 10^6}{150 \times 0.872 \times 1000} = 303.5 \text{ mm}^2$$

Hence provide 12  $\phi$  @ 300% (Half of the steel required at the ends.)

Hence, ~~the~~ alternate bars of the end ring may be bent to

BASE SLAB

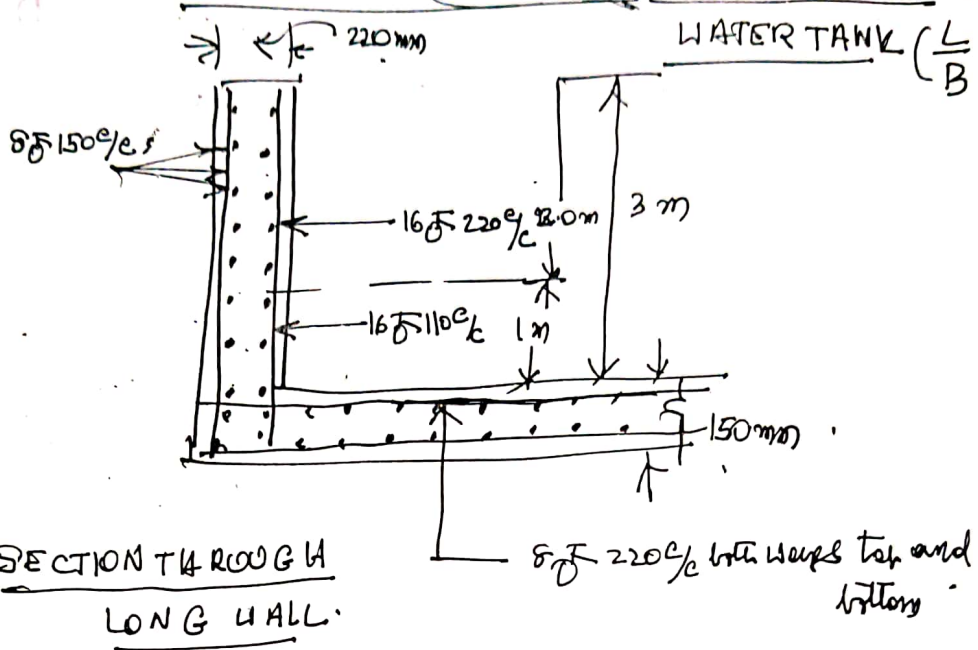
outer face. Provide 150 mm thickness with 8  $\phi$  @ 220%

both ways at top and bottom.

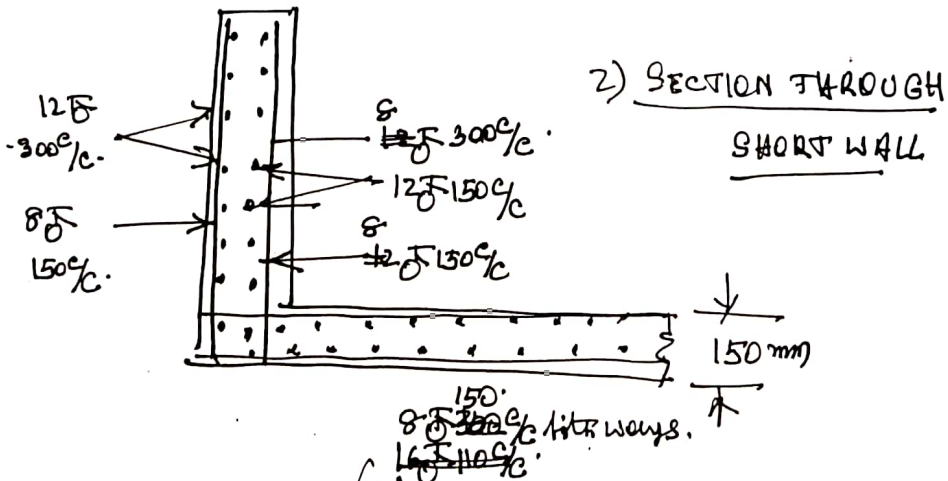


REINFORCEMENT DETAILS OF RECTANGULAR

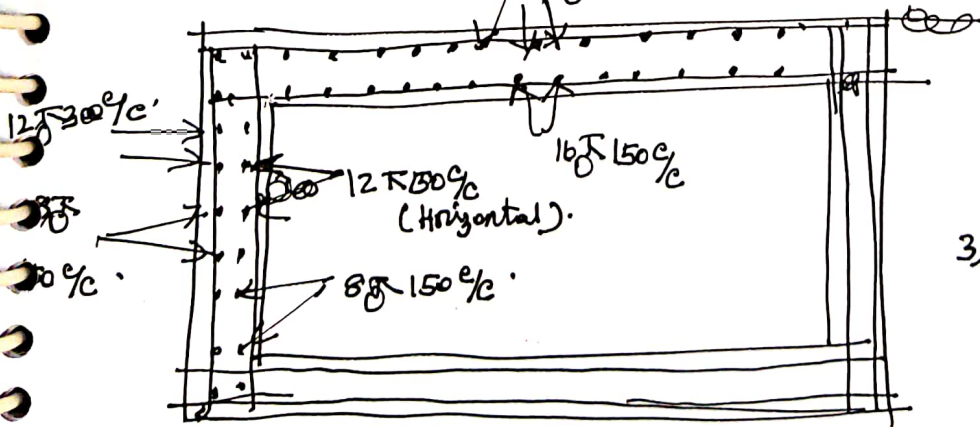
WATER TANK ( $\frac{L}{B} > 2$ )



SECTION THROUGH LONG WALL.



SECTION THROUGH SHORT WALL



SECTIONAL PLAN AT BASE

# UNDER GROUND WATER TANKS.

Underground tanks are provided to store water which is received from the mains. For large capacities circular tanks and for medium to smaller capacities rectangular tanks are preferred. Even work cost is more for circular tanks.

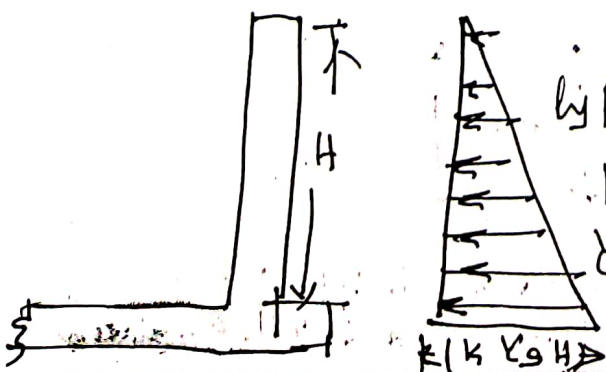
CASE I Tank is full and no earth fill.

CASE II Tank is empty and earth pressure from outside.

CASE I: They are similar to tanks resting on ground. Depending upon  $\frac{L}{B}$  ratio the tank can be treated accordingly.

CASE II.

a) If the outside of the tank is filled with dry soil or wet cohesionless soil.



The active earth pressure is given.

by Rankine's theory =  $p_a = k \gamma_s H$

$k$ : Rankine's Coeff.

$\gamma_s$ : unit wt. of soil;  $H$ : Height

Rankin's earth pressure coeff =  $K = \frac{1 - \sin \phi}{1 + \sin \phi}$ ,

where  $\phi'$  is angle of repose of soil.

b) If the back fill is saturated, then the unit-weight

of cohesionless soil and also saturated soil and its pressure are considered. In addition water pressure up to full height is also considered.

If  $\gamma'_s$  is the unit wt. of saturated soil and

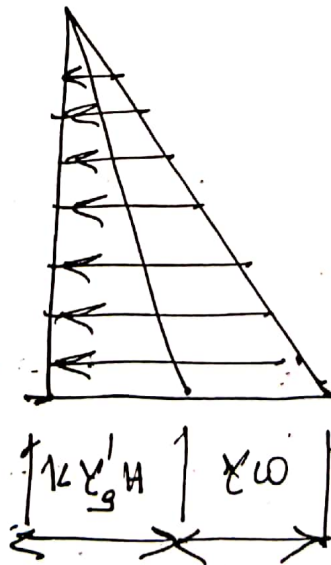
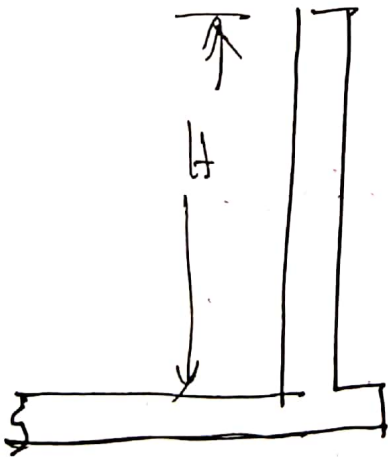
$\gamma_w$  is " " " " water, then the pressure

on the wall from outside is  $P_{oh} = K \gamma'_s H + \gamma_w H$ .

(Due to Saturated soil)

(Due to water)

or  $P_{oh} = \dots$



In this case, the bottom slab is subjected to uplift water pressure and hence to balance, projections to the base beyond the walls are given.

In addition, the underground tanks also require a roof slab which is designed like any other slab.

### DESIGN EXAMPLE

Design an underground rectangular water tank of size  $3\text{ m} \times 8\text{ m} \times 3\text{ m}$ . for the following data.

The type of soil is submerged sandy soil. Water table can rise up to ground level. Tank  $\gamma_s = 16\text{ kN/m}^3$ ,  $\phi = 30^\circ$ .

Grade of Concrete: For tank: M25

For roof slab: M20.

Grade of steel: Fe 415

Unit weight of water:  $9.8\text{ kN/m}^3$ , Live load on the roof slab:  $2\text{ kN/m}^2$ .

SOLUTION:

#### ROOF SLAB

Roof slab is not in contact with water. Hence the stresses are normal as for building elements. If LSD is followed we can take  $\sigma_{st} = 230$  for HYSD or  $\sigma_{st} = 140$  for mild steel.

In roof slab LSD also may be used.

$$d = \frac{l}{25} = \frac{3000}{25} = 120\text{ mm}, \text{ Provided } D = 150 \text{ with } d = 120\text{ mm}.$$

$$\text{Self wt. of slab} = 0.15 \times 1 \times 25 = 3.75 \text{ kN/m}^2$$

$$L \cdot L = 2.0 \text{ kN/m}^2$$

$$F \cdot L = 0.5 \text{ kN/m}^2$$

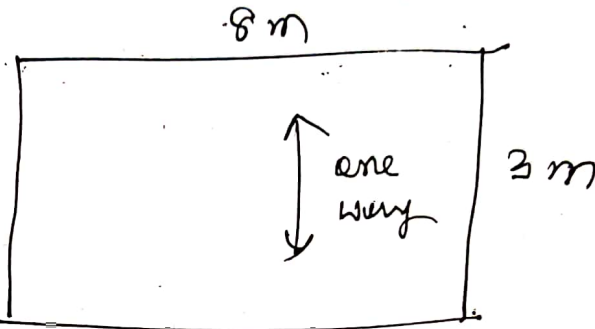
$$\text{Total load} = \underline{6.25 \text{ kN/m}^2}$$

Since  $\frac{L}{B} = \frac{8}{3} > 2$ , the slab is 'one way'.

$$\text{Hence } M = \frac{wL^2}{8}$$

$$M = \frac{6.25 \times 8^2}{8} = 7.03 \text{ kNm}$$

$$M_u = 1.5 \times 7.03 = 10.55 \text{ kNm}$$



$$\begin{aligned} \text{(factored)} \quad M_u (\text{Lim}) &= 0.38 f_{ck} b d^2 \\ &= 0.38 \times 20 \times 1000 \times 120^2 \\ &= 39.444 \times 10^6 \text{ Nmm} = 39.444 \text{ kNm} \end{aligned}$$

Hence  $M_u (\text{Lim}) > M_u (\text{actual})$  ∴ Hence under reinforced.

$$\text{we know } M_u = 0.87 f_y A_{st} d \left[ 1 - \frac{A_{st} f_y}{b d f_{ck}} \right]$$

$$\text{Substituting, } 10.55 \times 10^6 = 0.87 \times 415 A_{st} \times 120 \left[ 1 - \frac{A_{st}}{1000 \times 120} \times \frac{415}{20} \right]$$

This becomes,

$$A_{st}^2 - 5783.13 A_{st} + 243.3 \times 5783.13 = 0$$

$$\text{Solving, we get } A_{st} = 254.7 \text{ mm}^2$$

$$\text{Min. steel for slab} = \frac{0.12}{100} \times 1000 \times 120 = 144 \text{ mm}^2 \text{ only}$$

Using 10 $\Phi$ , Spacing =  $\frac{79}{2.547} \times 1000 = 308 \text{ mm}$ .

Hence provide 10 $\Phi$  300 $\%$  along the width.

Distribution steel wt 0.12% = 144 mm<sup>2</sup>

Using 8 $\Phi$  Spacing =  $\frac{50}{144} \times 1000 = 349 \text{ mm}$ .

Provide 8 $\Phi$  300 $\%$  in the length direction.

DESIGN OF WALLS. (By working stress method to avoid buckling problem).

We have  $\sigma_{cbc} = 8.5 \text{ N/mm}^2$ ,  $m = 11$ ,  $\sigma_{st} = 150 \text{ N/mm}^2$ .

$n = \frac{m \sigma_{cbc}}{m \sigma_{cbc} + \sigma_{st}} = 0.364$ ;  $j = 1 - \frac{n}{3} = 0.872$

$R = \frac{1}{2} \sigma_{cbc} n j = \frac{1}{2} \times 8.5 \times 0.364 \times 0.872 = 1.423$ .

Long wall

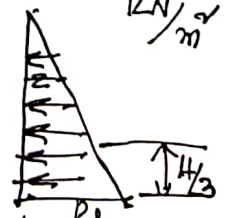
a) When the tank is empty, water pressure governs the thickness.

$p_h$  (Submerged soil) =  $k \gamma'_g H + \gamma_{co} H$

$k = \frac{1 - \sin \phi}{1 + \sin \phi} = \frac{1 - \sin 30^\circ}{1 + \sin 30^\circ} = \frac{1}{3}$ ;  $\gamma'_g = \gamma_s - \gamma_w = 16 - 9.8 = 6.2$   
 Considering the long wall,

Hence  $p_h = \frac{1}{3} \times 6.2 \times 3 + 9.8 \times 3 = 35.6 \text{ kN/m}^2 \cdot H$

Hence  $M = \frac{1}{2} \times 35.6 \times 3 \times \frac{3}{3} = 53.4 \text{ kNm}$  about the base.



$$d = \sqrt{\frac{53.4 \times 10^6}{1.423 \times 1000}} = 193 \text{ mm}$$

Provide  $d = 195 \text{ mm}$  with  $D = 195 + 35 = 230 \text{ mm}$

$$A_{st} = \frac{53.4 \times 10^6}{150 \times 0.672 \times 195} = 2094 \text{ mm}^2$$

20 mm  $\phi$ , spacing =  $\frac{\pi/4 \times 20^2}{2094} \times 10000 = 150 \text{ mm}$

Hence provide  $\phi 20$  150% on the entire face vertically.

Also provide  $\phi 20$  bars along the entire length at a height where the B.H is fully

Considering a depth of 'h', we have  $\frac{h^3}{43} = \frac{1}{2}$ ,  $h = 3 \text{ m}$ .

Hence, we get  $h_u = 2.38 \text{ m}$ , Hence above the base at  $0.62 \text{ m}$ .

(Actually adding 12% dev of the bar =  $0.62 + 12 \times 20 = 0.66 \text{ m}$ , say  $0.90 \text{ m}$ )

So if the bars may be considered and the remaining may be

considered towards top.

(b) when there is full and no water pressure

Considering the long wall (Treated as cantilever over the entire

height when  $\frac{L}{B} > 2$ ).

Water pressure on the inside over the full height

$$= P_h = \gamma_w H = 9.8 \times 3 = 29.4 \text{ kN/m}^2$$

Cantilever moment =  $\frac{1}{2} \times 29.4 \times 3 \times 3 = 132.3 \text{ kNm}$

$$A_{st} = \frac{441 \times 10^6}{150 \times 0.672 \times 195} = 1729 \text{ mm}^2$$

spacing of  $\phi 20 = \frac{\pi/4 \times 20^2}{1729} \times 10000 = 106 \text{ mm}$ , Provide 110 c/c.

Spacing of transverse bars (Min. steel is usually

min. percentage of steel

$$= 0.3 - 0.1 \left( \frac{230 - 100}{450 - 100} \right) = 0.263$$

(Sufficient.)

0.3% is provided up to 100mm.

For 100mm to 450mm, it is  $0.3 - \frac{(t-100)}{(450-100)}$

Hence,  $A_{qt} = \frac{0.263}{100} \times 230 \times 1000 = 604 \text{ mm}^2$

Steel required on each face =  $302 \text{ mm}^2$

Spacing of  $\phi 8$  =  $\frac{174 \times 8^2}{202} \times 1000 = 166 \text{ mm}$

Provide horizontally on each face @ 160%

Check for Direct Tension

$$T_L = \gamma_{02} (H - k) \frac{B}{2} \quad \left[ \text{Assumed from start wall} \right]$$

Min. height of  $(H - k)$

$$= 9.8 (3 - 1) \frac{3}{2} = 29.4 \text{ kN}$$

Steel required =  $\frac{29.4 \times 1000}{150} = 196 \text{ mm}^2 < 604 \text{ mm}^2$

Hence same amount of distribution steel is adequately provided  
(Min. steel) is sufficient.



## Design of Foot wall.

Lower  $\frac{H}{4}$  or 1 m. is treated as counter wall.

When tank is empty, considering the water pressure from

outside,  $P_h = 35.6 \text{ kN/m}^2$  (Assumed calculated due to saturation soil).

$$M = \frac{1}{2} \times 35.6 \times 1 \times \frac{1}{3} = 5.933 \text{ kNm.}$$

$$A_{gr} = \frac{5.933 \times 10^6}{150 \times 0.872 \times 195} = 232 \text{ mm}^2.$$

Considering the case, tank is full and no water pressure,

$$P_h = 9.8 \times 3 = 29.4 \text{ kN/m}^2$$

$$M = \frac{1}{2} \times 29.4 \times 1 \times \frac{1}{3} = 4.9 \text{ kNm (Bottom 1 m is counter wall.)}$$

Thus provide minimum steel of 8 mm  $\phi$  100% vertically on both

in the remaining (H-h<sub>0</sub> = 2 m) portion.

Horizontal pressure from outside  $P_h = \gamma_w \gamma'_s (H-h_0) + \gamma'_{cs} (H-h_0)$

$$= \frac{1}{3} (16-9.8) (3-1) + 9.8 (3-1) = 23.73 \text{ kN/m}^2.$$

Due to frame action, Moment at support =  $\frac{23.73 \times 3^2}{12} = 17.8 \text{ kNm}$

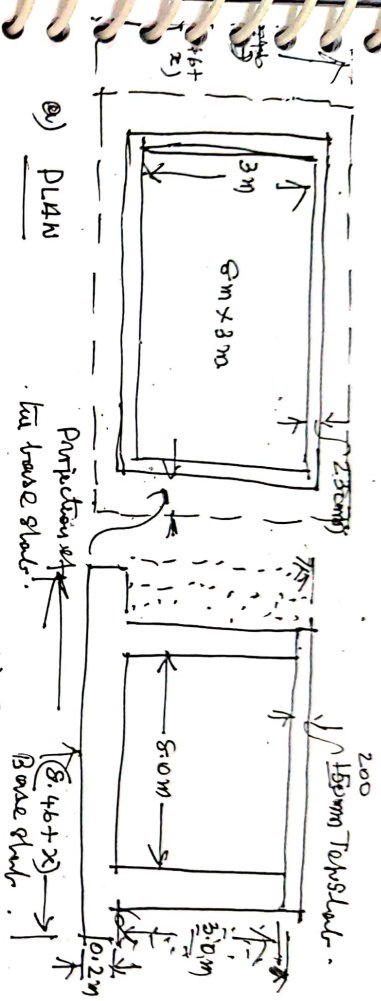
$$A_{gr} = \frac{17.8 \times 10^6}{150 \times 0.872 \times 195} = 698 \text{ mm}^2, \text{ At mid span } (B=3 \text{ m})$$

$$A_{gr} = \frac{698}{2} = 349 \text{ mm}^2$$

Thus provide 10  $\phi$  8 No 9% on the surface. At mid span

take 10  $\phi$  8 (alternately) is bent & provided in side.

# BOTTOM SLAB



Assuming a thickness of 0.2m for the bottom slab,

$$H = 3.0 + 0.2 = 3.2m$$

If the soil below is saturated (sandy), then the upward pressure

$$= 9.8 \times 3.2 = 31.36 \text{ kN/m}^2 \uparrow$$

The bottom slab is given a projection beyond the frame walls also and so that there is an additional horizontal load of the soil which helps in the stability of the frame against upward fluctuation. Dimensional loads on the base

1) Wt. of Top Slab (150mm thick) =  $0.15 (8 + 2 \times 0.23) (3 + 2 \times 0.23) \times 25$   
 $= 109.77 \text{ kN}$

2) Wt. of Long Walls =  $2 \times 0.23 (8 + 2 \times 0.23) \times 25 = 291.9 \text{ kN}$

3) Wt. of Short Walls =  $2 \times 0.23 \times 3 \times 3 \times 25 = 103.5 \text{ kN}$

4) Wt. of Bottom Slab =  $(8.46 + x)(3.46 + x) \times 0.2 \times 25 = (146.4 + 59.8x + 5x^2)$

$$\begin{aligned}
 5. \text{ Wb. of soil on the projection} &= [(8.46 + 2x)(3.46 + 2x) \\
 &\quad - (8.46 \times 3.46)] \times 16 \\
 &= (23.84x + 4x^2) \times 16 = 1144.32x + 192x^2
 \end{aligned}$$

$$\begin{aligned}
 \text{uplift pressure on the bottom plate} &= 31.36 (8.46 + 2x)(3.46 + 2x) \\
 &= (917.96 + 747.62x + 125.44x^2) \uparrow
 \end{aligned}$$

For the stability of the tank, equating downward and upward loads, we get

$$\begin{aligned}
 (917.96 + 747.62x + 125.44x^2) &= (109.77 + 291.9 + 103.5 + 146.4 \\
 &\quad + 59.6x + 5x^2 + 1144.32x + 192x^2)
 \end{aligned}$$

Hence finally,  $71.56x^2 + 456.3x - 266.39 = 0$ .

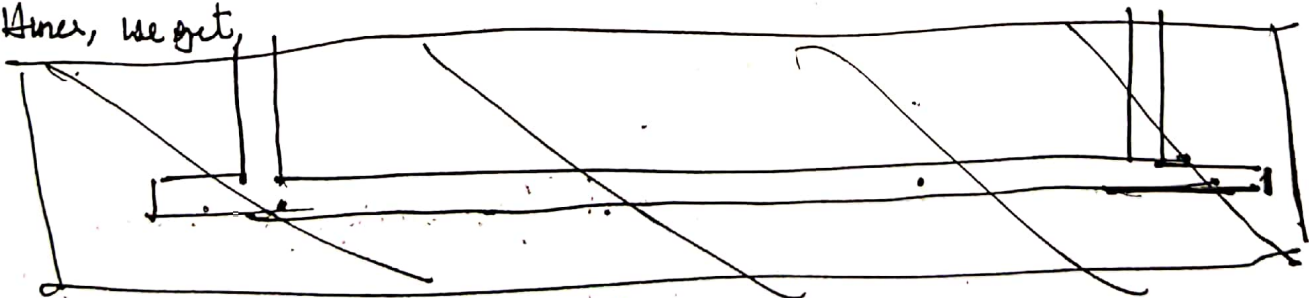
Solving the quadratic,

$$x = \frac{-456.3 + \sqrt{456.3^2 - 4 \times 71.56 \times 266.39}}{2 \times 71.56}$$

Hence,  $x = 0.538 \text{ m}$

Hence, provide a projection of 0.6 m above and below the tank.

Hence, we get,



Loads acting on the base slab.

Self wt: Directly transferred to the soil.

∴ Hence, net upward pressure =  $31.26 - 0.2 \times 1 \times 1 \times 25 = 26.36 \text{ kN/m}^2$

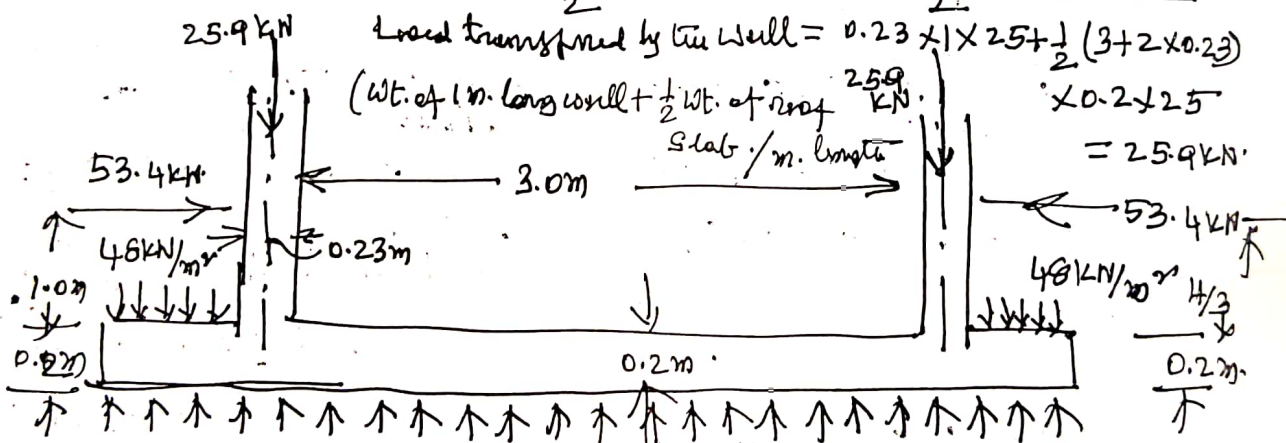
Wt. of Soil on the projected portion =  $16 \times 3 = 48 \text{ kN/m}^2$

∴ Horizontal reaction on the wall =  $\frac{1}{2} P_u \times 3$

=  $\frac{1}{2} \times 35.6 \times 3 = 53.4 \text{ kN}$  acting at  $\frac{1}{3}$  ht. =  $\frac{3}{3} = 1 \text{ m}$  + thickness of base slab  
=  $1.2 \text{ m}$  above the base.

Counterclockwise moment due to projection on the face of the wall due to

upward pressure =  $26.36 \times \frac{0.6^2}{2} - 53.4 \times 1.2 - \frac{48 \times 0.6^2}{2} = 60.18 \text{ kN m}$



When the tank is empty and earth pressure due to submerged Bernoulli soil.

Moment at centre of base slab.

$$= \frac{26.36 (3.46 + 1.2)^2}{8}$$

$$= 53.4 \times 1.2 - 48 \times 0.6 \left( \frac{3.46}{2} + \frac{0.6}{2} \right)$$

$$- 25.9 \left( 1.5 + \frac{0.23}{2} \right) = 25.2 \text{ kNm (Produces tension at top bottom)}$$

Considering the critical case of tank full condition.

For the design of the base slab, we have

Water pressure at  $h = 1$  m above the base  $= P = \frac{1}{2} \times 9.8 \times 3 \times 3 = 44.1 \text{ kN}$

Moment due to water pressure about the base  $= 44.1 \times 1.2$

$$= 44.1 \times 1.2 \text{ kNm}$$

Hence, total moment about the centre

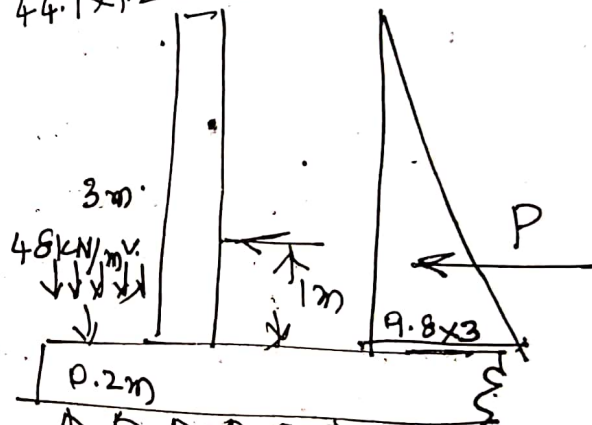
$$= \frac{26.36 (3.46 + 1.2)^2}{8} - 44.1 \times 1.2 - 48 \times 0.6 (3.46 + 0.6)$$

(Water wt. is directly transmitted to the soil)

$$= \frac{26.36 (3.46 + 1.2)^2}{8} - 50.23 = 39.83 \text{ kNm (counter-clockwise moment)}$$

(Tension at top)

Design Values



$$P = \frac{1}{2} \times 9.8 \times 3 \times 3 = 44.1 \text{ kN}$$

Max. Counter-clockwise moment  $= 60.18 \text{ kNm}$  (Reinf. at bottom)

Max. moment for tension at bottom  $= 25.2 \text{ kNm}$  (Reinf. at top)

Moment at centre of slab requiring reinf. at bottom  $= 25.2 \text{ kNm}$ ,

$$\text{Thickness of the slab required} = \sqrt{\frac{60.18 \times 10^6}{1.423 \times 1000}} = 205 \text{ mm}$$

Provide  $d = 215$  with  $D = 250$  mm

$$A_{st} = \frac{60.18 \times 10^6}{150 \times 0.872 \times 215} = 2139 \text{ mm}^2$$

Using 16 $\phi$ , Spacing =  $\frac{\pi/4 \times 16^2}{2139} \times 1000 = 94 \text{ mm}$

Provide 16 $\phi$  90% near bottom face for the counter-liner moment.  
 In the middle portion,  $A_{st} = \frac{50.23 \times 10^6}{150 \times 0.872 \times 215} = 1786$ , Provide 16 $\phi$  90% at top in the middle.  
~~In the middle portion,  $A_{st} = \frac{50.23 \times 10^6}{25.2} = 896 \text{ mm}^2$~~

At bottom, min. req. =  $150 \times 0.872 \times 215$

Using 12 mm  $\phi$ , Spacing =  $\frac{\pi/4 \times 12^2}{896} \times 1000 = 126 \text{ mm}$

Provide 12 $\phi$  120% at ~~top~~ bottom

### Distribution Steel

$$\text{Percent} = 0.3 - \frac{(250 - 225)}{(450 - 100)} = 0.229$$

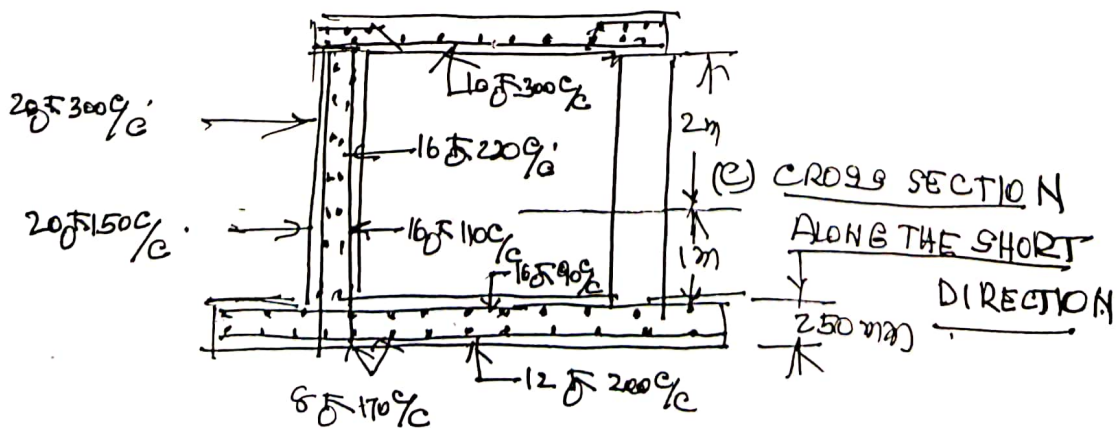
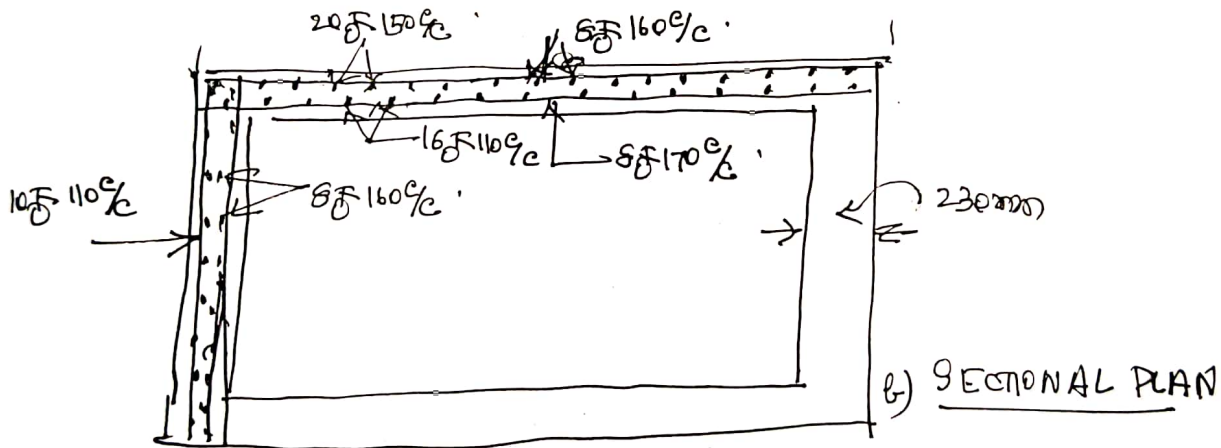
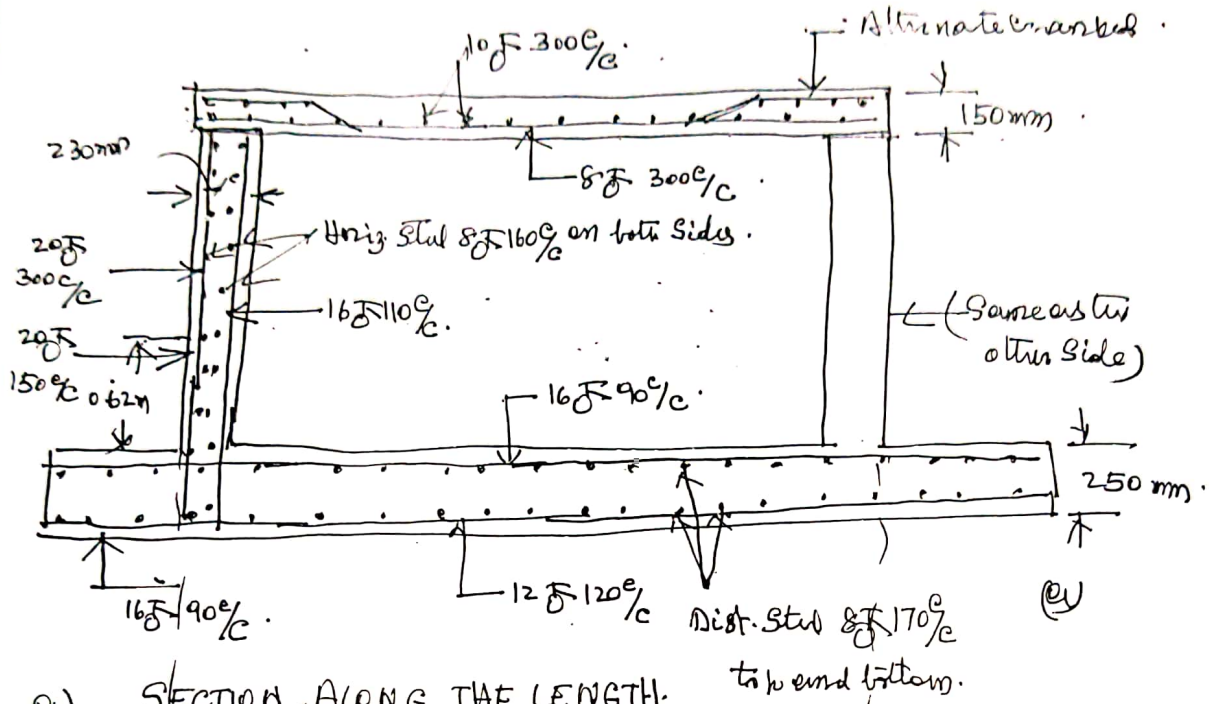
$$A_{st} = \frac{0.229}{100} \times 250 \times 1000 = 571 \text{ mm}^2$$

on each face,  $A_{st} = \frac{571}{2} = 286 \text{ mm}^2$

Using 8 $\phi$ , Spacing =  $\frac{\pi/4 \times 8^2}{286} \times 1000 = 175 \text{ mm}$

Hence, provide 8 $\phi$  170% in the longitudinal direction on both faces.

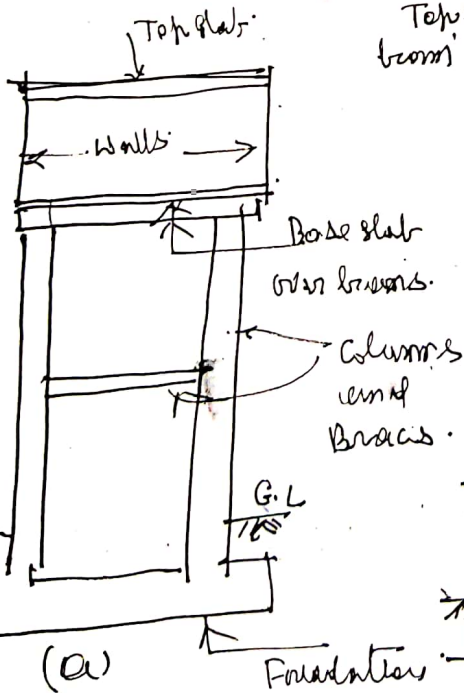
# RAINF. DETAILS OF UNDERGROUND TANK.



# OVERHEAD WATER TANKS.

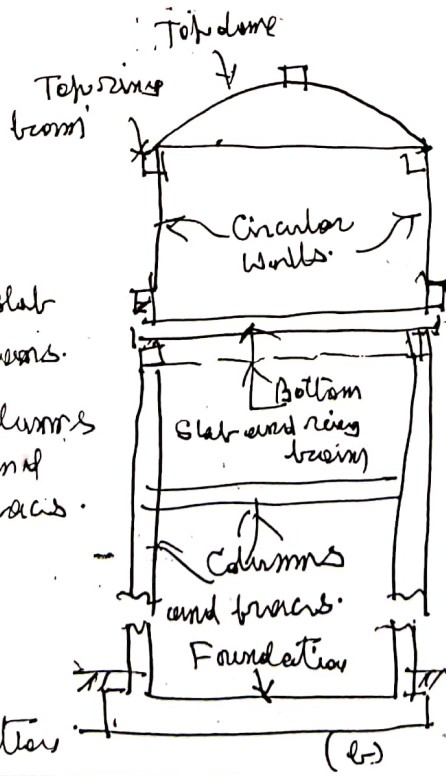
## Rectangular

Provided for smaller capacities like 50,000 to 75,000 lit. Convenient for apartment buildings. Designs can be carried out applying the same principles of tanks resting on ground with rigid base. Top slab may be provided.



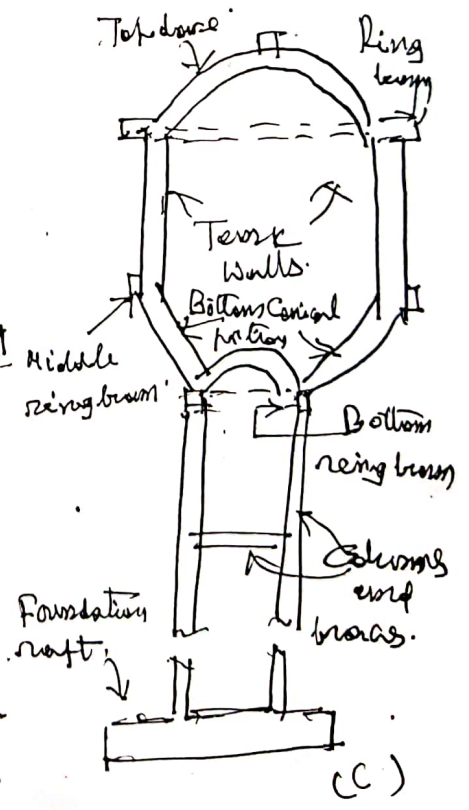
## Circular

For longer capacities like up to 7,50,000 lit. Provided with a top dome and bottom flat slab. All the elements are continuous. Provided with a ring beam supported on columns, braces and foundation.



## Intz.

Very large capacities like more than 1 million lit. Circular in cross section with domes at top and bottom resting on ring beams. Columns, braces and foundations are provided as usual.





# OVERHEAD CIRCULAR TANKS

(ELEVATED)

(Approximate Method).

Total DOME.

D = Diameter

R = Radius of curvature.

$h$ : Rise of dome, usually =  $\frac{D}{7}$

$t$ : Thickness of dome taken from 75 to 100 mm

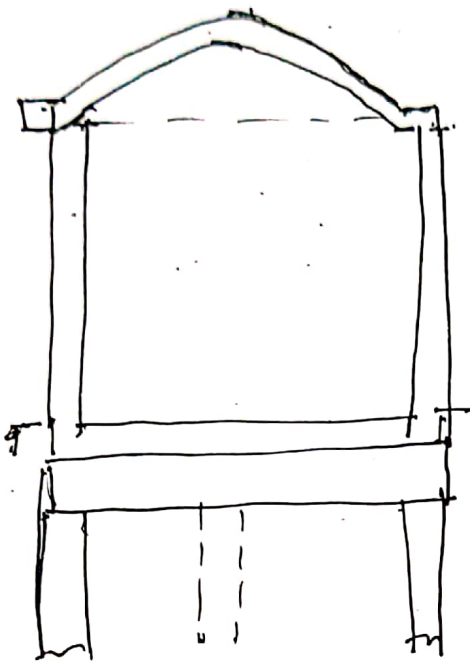
D.L and F.L are considered / m<sup>2</sup>.

L.L may be taken as 1.5 kN/m<sup>2</sup>.

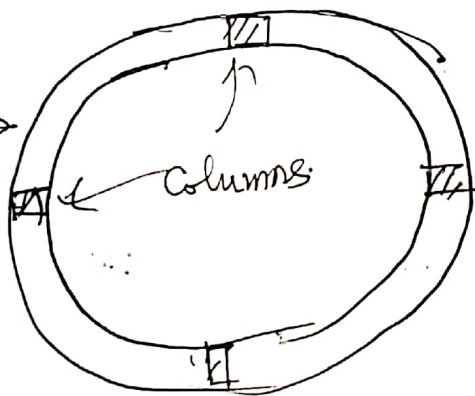
$w$ : Total load/unit area.

Thickness of dome =  $t$ .

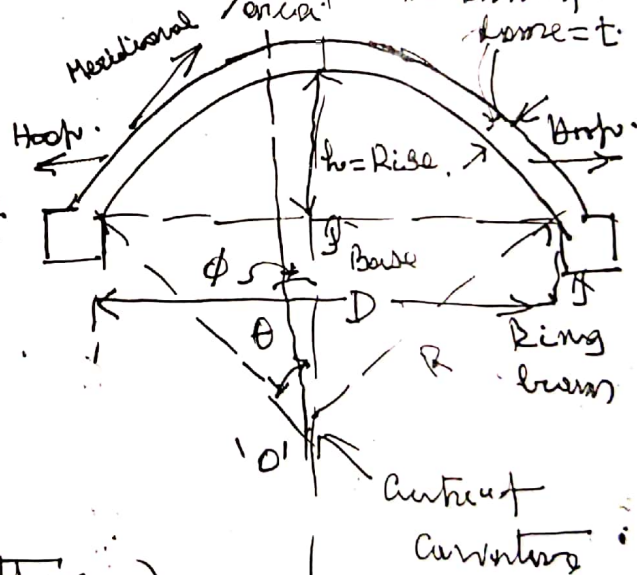
a) Section of the tank



Bottom ring beam



Plan at the base.



For the dome (By membrane theory)

$$T_1 = \text{Meridional thrust} = \frac{wR}{1 - \cos \phi} \text{ / unit length}$$

$$T_2 = \text{Circumferential force} = wR \left[ \frac{\cos \phi}{1 + \cos \phi} \right] \text{ / unit length}$$

Max. values of above forces occur at  $\phi = 0^\circ$  at the junction of the dome with the ring beam.

### Ring beam

It is subjected to load from vertical load  $T_{a1}$

Hence, hoop tension in the ring beam =  $C_s \cdot \frac{D}{2}$

Hence, tensile stress produced in concrete, reinforcement required against direct tension are determined

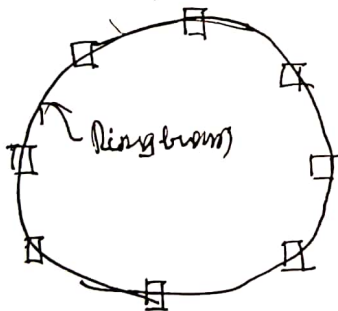
### Tank walls

By approximate method, bottom  $\frac{H}{3}$  or 1m is designed as cantilever.

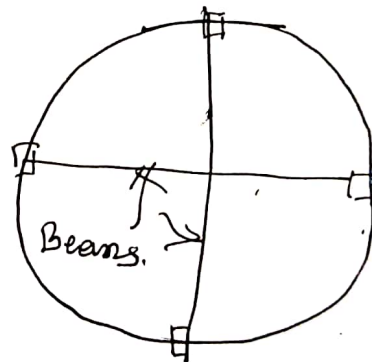
Tank walls are also designed for hoop tension over the entire height.

### Base slab.

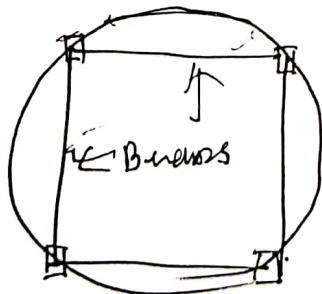
It is a circular slab supported over beams and columns.



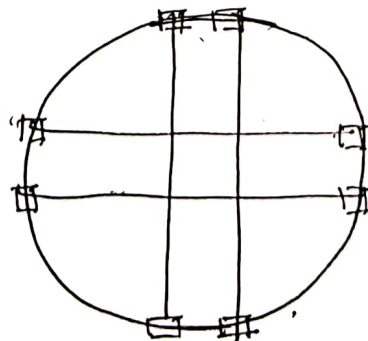
a) Ring beam and columns.



(b) Cross beams.



c) 4 nos of beams



d) Beams in the form of a Grid.

## CIRCULAR TANK SUPPORTS: (ELEVATED)

### 1) Tank Supported on walls: (For smaller tanks)

The ~~the~~ bottom circular slab of the tank is assumed to be simply supported. The moments in the circular slab are,

$$M_r (\text{Radial}) = \frac{q_0}{16} (3 + \mu) (a^2 - r^2) \\ = \frac{3q_0}{16} (a^2 - r^2)$$

$a$ : Radius of the circular tank  
 $q_0$ : UDL on the bottom slab =  $\gamma_{\text{con}} H + \text{Self wt.}$  ( $\mu = 0$ )

$\mu$ : Poisson's ratio of concrete. ( $\mu$  is small and can be assumed as zero)  
 $r$ : Any radius of a section,  $a$ : Radius of the slab.

$$M_\theta (\text{Circumferential}) = q_0 \frac{a^2}{16} (3 + \mu) \frac{3r^2}{16} (1 + 3\mu) \\ = \frac{3q_0 a^2}{16} - q_0 \frac{r^2}{16} = \frac{q_0}{16} [3a^2 - r^2]$$

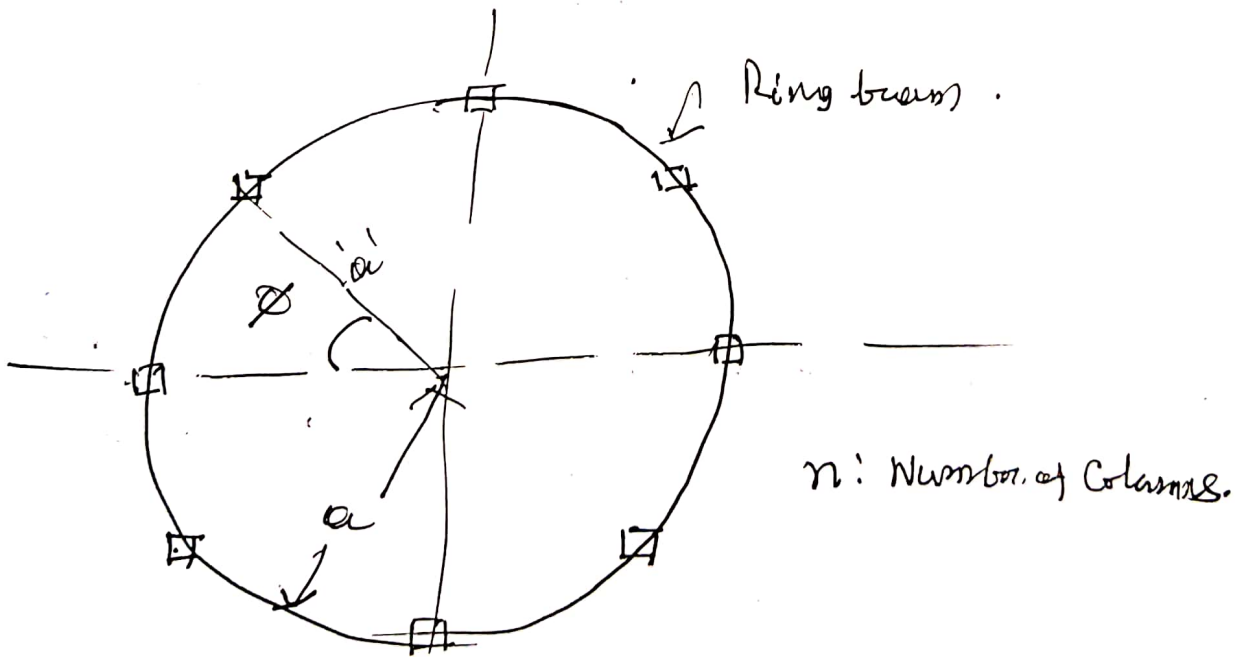
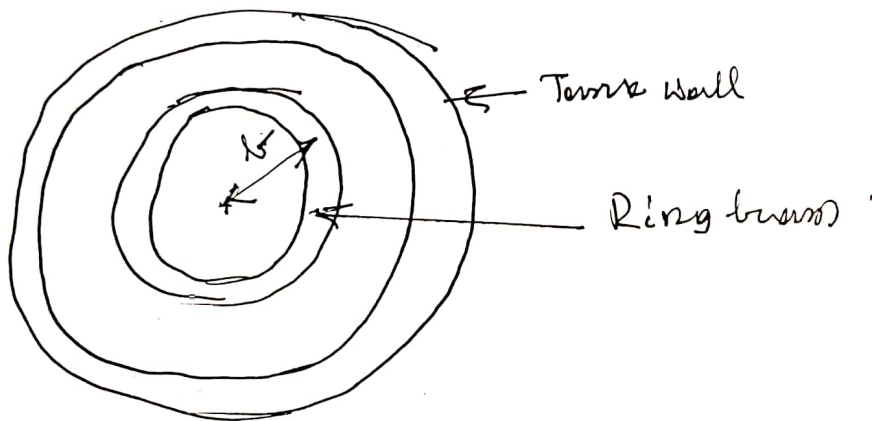
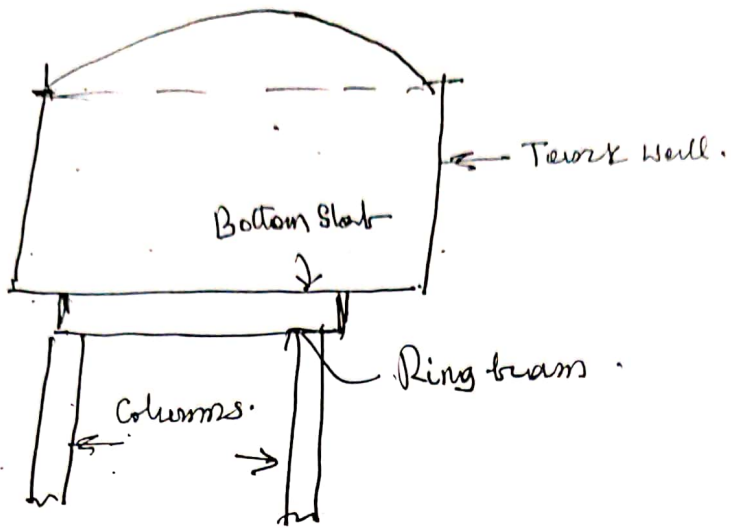
Tank wall is designed as a beam to support its own wt. Additional stud is provided at top and bottom of the tank wall.

### 2) Tank Supported on ring beam (For larger tanks)

For the ring beam supporting the tank, provide a diameter equal to 0.75 times the dia. of the slab tank.

The ring beam is supported on number of columns.

' $\phi$ ' is the angle subtended at the center by the arc in between any two columns. 'n' is the number of columns.



On this the total load on the ring beam from the slabs = 'W'.

$b$  = radius of the ring beam.

To For tank bottom slab. (Radius =  $a$ )

For  $r < b$

$$M_r = M_\theta = \frac{W}{8\pi} \left[ 2 \log \frac{a}{r} + 1 - \left(\frac{r}{a}\right)^2 \right]$$

For  $r > b$

$$M_r = \frac{W}{8\pi} \left[ 2 \log \frac{a}{r} - \left(\frac{b}{a}\right)^2 + \left(\frac{b}{r}\right)^2 \right] \quad (= 0 \text{ if } r = a)$$

$$M_\theta = \frac{W}{8\pi} \left[ 2 \log \frac{a}{r} - \left(\frac{b}{a}\right)^2 + 2 - \left(\frac{b}{a}\right)^2 \right]$$

FOR THE RING BEAM

No. of Columns	$\phi$ (Degree)	$k$	$k'$	$k''$	$d$ for Max. torsion	$\phi = 360/n$ R: radius of the ring beam. Shown for cent support $= \frac{W R \phi}{2}$ (W: UDL)
4	90	0.137	0.070	0.021	19.25	Support moment $= k W R^2 \phi$
5	72	0.108	0.054	0.150	15.25	Mid Span Moment $= k' W R^2 \phi$
6	60	0.089	0.045	0.009	12.75	Max. torsional moment $= k'' W R^2 \phi$
8	45	0.066	0.030	0.005	9.33	
10	36	0.054	0.023	0.003	7.50	
12	30	0.045	0.017	0.002	6.25	

' $d$ '  $\phi$ : Angle for max. torsion

The values of  $k, k', k''$  and ' $d$ ' are taken from the table.

3) If the slab is supported on beams:

Depending upon the arrangement of beams, the slab panel between two beams is designed.

EXAMPLE: Design a flat bottom circular elevated water tank of diameter 10m and total height 4m. It is supported on a ring beam of 7.5m which is supported on 6 No.9. Columns equally spaced. Use M25 and Fe415.  
Design a) Top dome b) top ring beam c) Cylindrical wall d) bottom slab e) bottom ring beam.

SOLUTION.

EXAMPLE:

Design a flat bottom circular elevated water tank of diameter 10m and total height 4m supported by a ring beam of 7.5m diameter. The ring beam is supported by 6 nos of columns equally placed. Use M25 and Fe 415 steel.  
 Design a) Top dome b) Top ring beam c) cylindrical wall, bottom slab, bottom ring beam.

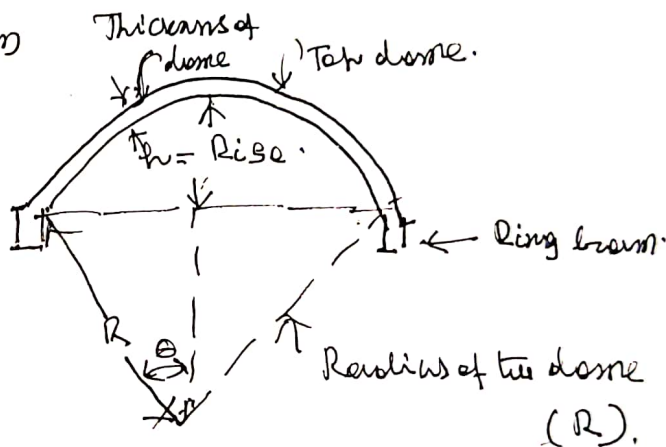
SOLUTION: TOP DOME  
 Dia. of the tank = 10m  
 Radius 'a' = 5m (Tank)

R: Radius of dome

h: Rise of dome =  $\frac{1}{7} D = \frac{10}{7} = 1.43$

Take h = 1.5m

Say 1.5m



Hence,  $(2R - h)h = \frac{D}{2} \times \frac{D}{2} = \left(\frac{D}{2}\right)^2$

Hence  $(2R - 1.5)1.5 = 5^2 = 25$ ,  $R = \left[ \frac{25}{1.5} + 1.5 \right] \frac{1}{2} = 9.083m$ .

Semi-central angle  $\theta$  is given by,  $\cos \theta = \frac{5}{9.083}$ ,  $\theta = 33.4^\circ$

Assuming the thickness of the dome shell as 75mm,

Self wt. of dome =  $0.075 \times 1 \times 1 \times 25 = 1.875 \text{ kN/m}^2$

L.L =  $1.5 \text{ kN/m}^2$ , R.L =  $0.5 \text{ kN/m}^2$

Total load on the dome = 'W' =  $3.875 \text{ kN/m}^2$ .

Max. meridional thrust  $T_1 = \frac{wR}{1 + \cos \theta}$

$= \frac{3.825 \times 9.083}{1 + \cos 33.4^\circ} = 19.184 \text{ kN/m}$

Circumferential force  $T_2 = wR \left[ \cos \theta - \frac{1}{1 + \cos \theta} \right]$

$T_2 = 3.875 \times 9.083 \left( \cos 33.4^\circ - \frac{1}{1 + \cos 33.4^\circ} \right)$

$T_2 = 10.202 \text{ kN/m}$

Permissible Comp. stress in M25 concrete =  $6 \text{ N/mm}^2$ .

Max. stress actually produced =  $\frac{19.18 \times 10^3}{75 \times 1000} = 0.256 \text{ N/mm}^2 < 6.0$   
Hence safe.

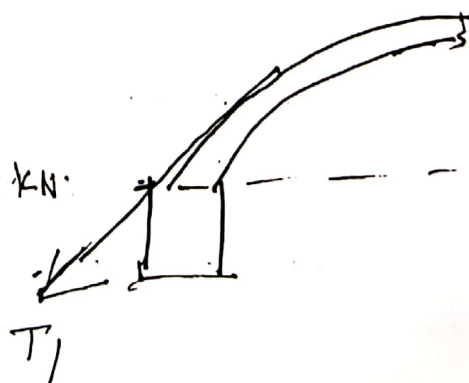
Hence, provide only nominal amt. of  $\sigma_{tr} 150\%$  for both meridional and circumferential directions

TOP RING BEAM

Hook tension =  $T_1 \cos \theta \frac{D}{2}$

$= 19.18 \times \cos 33.4^\circ \times 5 = 80.062 \text{ kN}$

Hence,  $A_{st} = \frac{80.062 \times 10^3}{150 \cdot 0}$



$A_{st} = 533 \text{ mm}^2$ , Provide 6 nos 12 $\phi$  ( $A_{st \text{ act.}} = 678 \text{ mm}^2$ )

$n = 11$ , Area of concrete required =  $\frac{80.062 \times 10^3}{1.3} = 61586 \text{ mm}^2$

Slwing,  $A_c = 54122 \text{ mm}^2$  ( $A_c + 11 \times 678$ )



Provide 250x300 top ring beam with 6 nos 12 $\phi$ .

Nominal stirrups of 2L 6 mm  $\phi$  225 c/c are provided uniformly.

TANK WALL

SOLUTION

DATA

Dia. of the tank = 10 m, Radius 'a' = 5 m.

H = 4 m; Dia. of the bottom ring beam = 7.5 m.

Radius of the ring beam 'b' = 3.75 m.

Concrete Mix: M25, steel: Fe 415.

TOP DOME

D = 10 m, Rise 'h' =  $\frac{D}{7}$  say 1.5 m.

R: radius of dome; Then,  $(2R-h) = \left(\frac{D}{2}\right)^2$ .

$$(2R - 1.5) \cdot 1.5 = 5^2, \text{ Hence } R = \frac{5^2 + 1.5^2}{2 \times 1.5} = 9.083 \text{ m.}$$

$$\text{Semicentric angle} = \theta = \cos^{-1} \frac{(R-h)}{R} = \cos^{-1} \left( \frac{9.083 - 1.5}{9.083} \right)$$

$$\theta = 33.4^\circ$$

Assuming a thickness of 75 mm for the dome,

$$\text{Self wt.} = 0.075 \times 1 \times 1 \times 25 = 1.875 \text{ kN/m}^2$$

$$L.L = 1.5 \text{ kN/m}^2$$

$$F.L = 0.5 \text{ kN/m}^2$$

$$\text{Total load } \omega = 3.875 \text{ kN/m}^2$$

$$\text{Max. meridional thrust} = T_1 = \frac{\omega R}{1 + \cos \phi} = \frac{3.875 \times 9.083}{1 + \cos 33.4} \text{ /m}$$

(at  $\phi = \theta$ )

$$\text{Hence } T_1 \text{ (Max.)} = 19.18 \text{ kN/m}$$

$$\text{Max. Circumferential force} = T_2 = \omega R \left[ \frac{\cos \theta - 1}{1 + \cos \theta} \right]$$
$$= 3.875 \times 9.083 \left[ \frac{\cos 33.4 - 1}{1 + \cos 33.4} \right] = 10.202 \text{ kN/m}$$

Ans, Max. stress produced =  $\frac{19.18 \times 10^3}{1000 \times 75} = 0.256 \text{ N/mm}^2$

(As the load is acting on the surface, the nature of the stress is Compressive)

Permissible Comp. stress for M25 =  $6 \text{ N/mm}^2$ , Hence safe.

This requires only nominal reinf. in both the directions

Hence, provide 8% 180° both ways.

### TOP RING BEAM.

Load is transferred from meridional force to the ring beam.

(Causing hoop tension)

$$= T_1 \cos \frac{\theta}{2} = 19.18 \cos 33.4 \times \frac{10}{2} = 80.062 \text{ kN}$$

Ans:  $A_g = \frac{80.062 \times 10^3}{1500} = 533 \text{ mm}^2$

Provide 6 NO S12

$m=11$ , Area of concrete required is given by

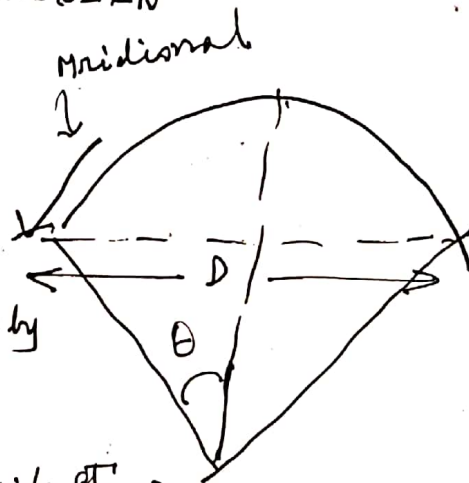
$$= \frac{80.062 \times 1000}{A_c + 11 \times 678} = 1.3$$

(Allowable tensile stress)

Ans,  $A_c = 54,122 \text{ mm}^2$

Provide 250 x 300 mm top ring beams with 6 NO S12 reinf.

Stirrups of 6 mm  $\phi$  2L @ 225% are provided.



## TANK WALL.

Depth of water tank = 4m, Dia. of water tank = 10m

$$\text{Max. hoop tension in the wall} = \frac{\gamma h D}{2} = \frac{9.8 \times 4 \times 10}{2} = 196 \text{ kN/m}$$

$$A_{gt} (\text{Required}) = \frac{196 \times 10^3}{1500} = 1306 \text{ mm}^2$$

$$A_{gt} (\text{on each face}) = \frac{1306}{2} = 653 \text{ mm}^2. \text{ Provide } 12\Phi 170^c \text{ on each face}$$

in the form of rings. ( $A_{gt}^{\text{act}} = 665 \text{ mm}^2$ )

Thickness of the wall is given by,

$$\frac{196 \times 1000}{1000 t + 11 \times 665} = 1.3, \text{ Hence } t = 188.7 \text{ mm}$$

Provide  $t = 200 \text{ mm}$ ; with effective  $\rho = 1/65 \text{ mm}$

Bottom one third =  $\frac{4}{3} = 1.333 \text{ m}$  (Design as Cantilever).

$$\text{Cantilever moment} = \frac{\gamma H R^2}{6} = \frac{9.8 \times 4 \times 1.333^2}{6} = 11.61 \text{ kNm}$$

∴ Provide ~~10Φ~~  $A_{gt} = 538 \text{ mm}^2$   $A_{gt}^{\text{act}} \text{ at } 0.3\% = 600 \text{ mm}^2$

Hence provide ~~10Φ~~  $130\%$  in the lower 1.3m vertically.

Provide half the reinf. beyond this in the remaining height.

on trapezoidal faces provide ~~10Φ~~  $260\%$  vertically.

# BASE SLAB

Load transferred from the top dome =  $T_1 \sin \theta$

$$\text{Total load} = T_1 \sin \theta \cdot \frac{2\pi D}{2}$$

$$= 19.18 \times \sin 33.4^\circ \times \frac{2\pi \times 10}{2} = 331.7 \text{ kN}$$

$$\text{Self wt. of ring beam} = 0.25 \times 0.3 \times \frac{2\pi \times 10}{2} \times 25 = 58.90 \text{ kN}$$

$$\text{Wt. of wall} = 0.20 \times (4 - 0.3) \times \frac{2\pi \times 5.2}{2} \times 25 = 604.4 \text{ kN}$$

(ring beam) (c/c)

$$\text{Total} = 995 \text{ kN}$$

$$\text{Wt. of water} = 9.8 \times 4 \times \frac{\pi \times 10^2}{4} = 3078.8 \text{ kN}$$

on the edge of slab, Self wt. of slab =  $11 \times 0.3 \times 25 = 7.5 \text{ kN/m}^2$

(Assuming slab thickness as  $\frac{10}{35} = 0.29 \text{ m}$  say  $0.3 \text{ m} = 300 \text{ mm}$ )

$$\text{Total bottom slab dia.} = 10 + 2 \times 0.2 = 10.4 \text{ m}$$

(Wall thickness)

$$\text{Total self wt. of slab} = \frac{\pi}{4} \times 10.4^2 \times 7.5 = 637.1 \text{ kN}$$

(Self wt./m)

$$\text{Finishing load (600 mm waterproofing course)} = 0.6 \times \frac{\pi}{4} \times 10^2 = 47.1 \text{ kN}$$

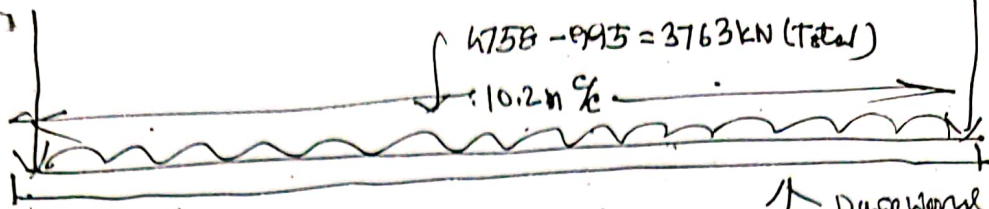
$$\text{Hence, total downward load} = 995 + 3078.8 + 637.1 + 47.1$$
$$= 4758 \text{ kN}$$

This load is to be carried by the ring beam below the slab.

Wt. of Wall

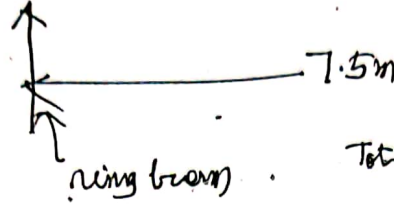
Wt. of Wall = 995 kN (Total)

Wt. of Wall



$$1758 - 995 = 3763 \text{ kN (Total)}$$

10.2 m



Distributed UDL

$$= \frac{3763}{\pi \times 10.2^2} = 46.05 \frac{\text{kN}}{\text{m}}$$

Total reaction of the ring beam

$$= 1758 \text{ kN}$$

The bottom slab is analysed by two cases.

Case I

Circular slab simply supported at its periphery by walls

and subjected to  $\gamma_0 H + \text{self wt.}$

$$r = \text{Radius of the slab} = \frac{10.2}{2}$$

$$(\% \text{ of the walls}) = 5.1 \text{ m}$$

We know  $M_r = \frac{3q}{16} (a^2 - r^2)$  and  $M_\theta = \frac{3q r^2}{16} - \frac{q r^2}{16}$

We know  $a = \frac{10.2}{2} = 5.1 \text{ m}$ , UDL on the slab =  $\frac{3763}{\pi \times 10.2^2} = 46.05 \frac{\text{kN}}{\text{m}}$  (q)

At critical points, we obtain

r in m	0	1.675	3.75	5.1 (a=r)
$M_r$ (kNm)	224.6	194.2	103.2	0
$M_\theta$ (kNm)	224.6	214.5	184.1	140.7

In case II (we consider two sub cases like) (slab supported on ring beam)

$$r < 3.75 = \left(\frac{7.5}{2}\right)$$

$r > 3.75$ , The expressions are available.

For  $r < 3.75$  (Shell subjected to torsional load of

$$M_r = M_\theta = \frac{W}{8\pi} \left[ 2 \log \frac{a}{r} + 1 - \left(\frac{b}{a}\right)^2 \right] \quad r = \frac{b}{2} = 7.5 \text{ m} \quad \text{upward (-ve)}$$

if  $r > 3.75$

$$M_r = \frac{W}{8\pi} \left[ 2 \log \frac{a}{r} - \left(\frac{b}{a}\right)^2 - \left(\frac{b}{r}\right)^2 \right]$$

$$M_\theta = \frac{W}{8\pi} \left[ 2 \log \frac{a}{r} - \left(\frac{b}{r}\right)^2 + 2 - \left(\frac{b}{a}\right)^2 \right]$$

Substituting,

$r < 3.75$ (r in m)	(Since $b = 3.75$ m, only this case is considered)	0	1.875	3.75	5.1
$M_r$ (kNm)	-201.4	-201.4	-201.4	0	
$M_\theta$ (kNm)	-201.4	-201.4	-201.4	-99.23	

~~$r > 3.75$~~  Net moments are obtained by combining Cases I and II as below.

$r$	0	1.875	3.75	5.1
$M_r$	+23.2	-7.2	-98.2	0
$M_\theta$	+23.2	+13.1	-17.3	+50.47

Hence highest design moment =  $-98.2 \text{ kNm}$  ( $M_r$ )

Hence  $d = \sqrt{\frac{98.2 \times 10^3}{1.423 \times 1000}} = 262.7 \text{ mm}$  provided = 263 and  $D = 300 \text{ mm}$  (slightly)

$A_{st} = \frac{98.2 \times 10^3}{150 \times 0.872 \times 265} = 2804 \text{ mm}^2$

Using 25  $\phi$ , spacing =  $\frac{714 \times 25^2}{2804} \times 1000 = 175 \text{ mm}$

Hence provide 25  $\phi$  175  $\phi$  at top in the radial direction.

In the circumferential dir. We have,  $M_{\theta} = 30.47 \text{ kNm}$   
(At the edges)

$$r = 26.5 - 2.5 = 240 \text{ mm. (Drying)}$$

$$A_{st} = \frac{50.47 \times 10^6}{150 \times 0.872 \times 240} = 1654 \text{ mm}^2, \text{ Provide } 20 \text{ } \phi 17.5 \text{ c/c at top}$$

at the edges of the slab.

In the central portion provide  $20 \text{ } \phi 300 \text{ c/c}$  both ways in the form of a mesh at the bottom.

### BOTTOM RING BEAM

$$\text{Radius} = 3.75 \text{ m, Total load from the slab} = 4758 \text{ kN}$$

$$\text{Load/m} = \frac{4758}{2\pi \times 3.75} = 202 \text{ kN/m}$$

$$\text{Tearing } 350 \text{ mm width and depth} = \frac{1}{15} \times \text{Dia. of the ring}$$

(for torsion)  $D = 600 \text{ mm}$

$$\text{Self wt. of the beam} = 0.35 \times 0.60 \times 1 \times 25 = 5.25 \text{ kN/m}$$

(Say) Finishing = 0.75 kN/m

$$\text{No. of columns} = 6$$

$$\text{Total} = \underline{6.10 \text{ kN/m}}$$

$$\phi = \frac{360}{6} = 60^\circ = \frac{\pi}{3} \text{ rad.}$$

$$\text{Total on tearing beam} = 202 + 6$$

$$\text{Max. S.F at Support} = \frac{WR\phi}{2} = \frac{208 \times 3.75 \times \frac{\pi}{3}}{2} = 408 \text{ kN}$$

$= 208 \text{ kN/m}$



Support moment =  $V \omega R \phi = 272.6 \text{ kNm}$  (Factored)  
 $= 1.5 \times 272.6$   
 $= 137.8$

Mid span moment =  $k' \omega R \phi = 147.9 \text{ kNm}$  (Factored)  
 $= 1.5 \times 137.8$

Max. torsional moment =  $k'' \omega R \phi = 27.66 \text{ kNm}$   
 (From the table,  $k = 0.089$ ,  $k' = 0.045$ ,  $k'' = 0.009$ , columns)  
 (Stress at  $d = 12.75^\circ$  from top)

By limit state design procedure, we get:

For the Support moment  $A_{st} = 2566 \text{ mm}^2$  (8 Nos 20 $\phi$  at top)

$A_{se} = 628 \text{ mm}^2$  (2 Nos 20 $\phi$  at bottom are provided)

For Mid span moment

4 Nos 20 $\phi$  at bottom

Design for torsion.

Equivalent  $M_{te} = T_u = T_u \left( \frac{1 + P/e}{1.7} \right)$  Formulae.  
 $M_e = M_u + M_t$ , S.F =  $V_u$   
 Equivalent S.F.  $V_e = \left( V_u + \frac{1.60 T_u}{b} \right)$

Max. torsional moment:  $1.21 \text{ COR } \phi$

$= 0.009 \times 207 \times 3.75^2 \times \frac{\pi}{3} = 2768 \text{ Nmm}$

Against the Max. -ve moment  $\sim (272.6 \text{ kNm})$ .

f. The beam  $(350 \times 600 \text{ mm})$  is designed as doubly reinforced.

Using SP-16 tables (Adopting  $\tau_{cr} = 50 \text{ mm}$ )  
 $d = 550 \text{ mm}$

$$\frac{d'}{d} = \frac{50}{550} \text{ say } 0.1.$$

$$\frac{M_u}{bd^2} = \frac{1.5 \times 272.6 \times 10^6}{350 \times 550^2} = 3.86.$$

Referring to table 51, of SP-16, we obtain

$$p_t = 1.333, p_c = 0.146.$$

$$A_{st} = \frac{1.333 \times 350 \times 550}{100} = 2566 \text{ mm}^2.$$

$$A_{sc} = \frac{0.146 \times 350 \times 550}{100} = 281 \text{ mm}^2.$$

Provide 8 Nos of 20 mm for tensile steel and 2 Nos of 20 mm for steel.

(Agg.  $\tau_{cr} = 2875 \text{ mm}^2$  at top near the support.)

(Agg.  $\tau_{cr} = 628 \text{ mm}^2$  at bottom near support.)

At mid span moment  $= 137.8 \text{ kNm}$ . (Nearly half the steel)

Provide 4 Nos 20 mm at midspan at bottom, at support.)

Against  $\tau$  tension

$$d = 12.75 = 0.2225 \text{ m}$$

Distance from the support of the tension section is

$$= 3.75 \times 0.2225 = 0.835 \text{ m}$$

$$T = 27.6 \text{ kNm}, \text{ factored } T_u = 1.5 \times 27.6 =$$

$$\text{B. Next to Section} = 27.6 - 20.8 \times \frac{0.835}{2} = 200 \text{ kNm}$$

Hence, at the Section,  $M_u = 1.5 \times 200 = 300 \text{ kNm}$ .

Equivalent Moment  $M_e = M_u + M_c$

$$M_u = 300 \text{ kNm}, M_c = T_u \left[ \frac{1 + \frac{P_u}{A_g}}{1.7} \right]$$

$$M_e = (1.5 \times 27.6) \left[ \frac{1 + \frac{600}{350}}{1.7} \right]$$

$$\text{Hence } M_e = 300 + 1.5 \times 27.6 \left[ \frac{1 + \frac{600}{350}}{1.7} \right] = 366.1 \text{ kNm}$$

We have  $M_u$  (at Support) =  $1.5 \times 27.6 = 40.8 \text{ kNm}$   
 $M_e < M_u$  (at Support) at Support

We have provided 8 nos 20 $\phi$  Rein top and 2 nos 20 $\phi$  Rein bottom

The same thing can be continued up to Max. torsion

Shear design Section also.

S.F at Support =  $40.8 \text{ kN}$ ,  $V_u = 1.5 \times 40.8 = 61.2 \text{ kN}$ .

$$T_u = \frac{61.2 \times 10^3}{350 \times 550} = 3.16 \text{ N/mm}^2, \therefore T_c (\text{Max}) = 3.1 \text{ N/mm}^2$$

$$T_u > T_c (\text{Max})$$

## DESIGN OF BOTTOM CIRCULAR

• Hence revise the section. Providing 450 x 600 mm section,

$$\text{Max } J_c = \frac{612 \times 10^3}{400 \times 650} = 238 < 3.1$$

$$\text{Hence } p = \frac{2875}{400 \times 550} \times 100 = 1.309\%$$

From the table,  $J_c$  (Hollow) =  $6.70 \text{ N/mm}^2$ .

Hence Concrete Compressive  $= J_c \times d = 6.7 \times 400 \times 550$ .

$$\text{Balance S.F} = V_u - J_c \times d = 612 \times 10^3 - 6.7 \times 400 \times 550$$

$$V_{u,9} = 455 \times 10^3 \text{ N}$$

Using 12 $\Phi$  2L, Spacing  $S = 0.87 \frac{V_{u,9}}{b}$

$$S_u = \frac{0.87 \times 455 \times 2 \times \pi \times 12^2 \times 550}{4} = 98.7 \text{ mm}$$

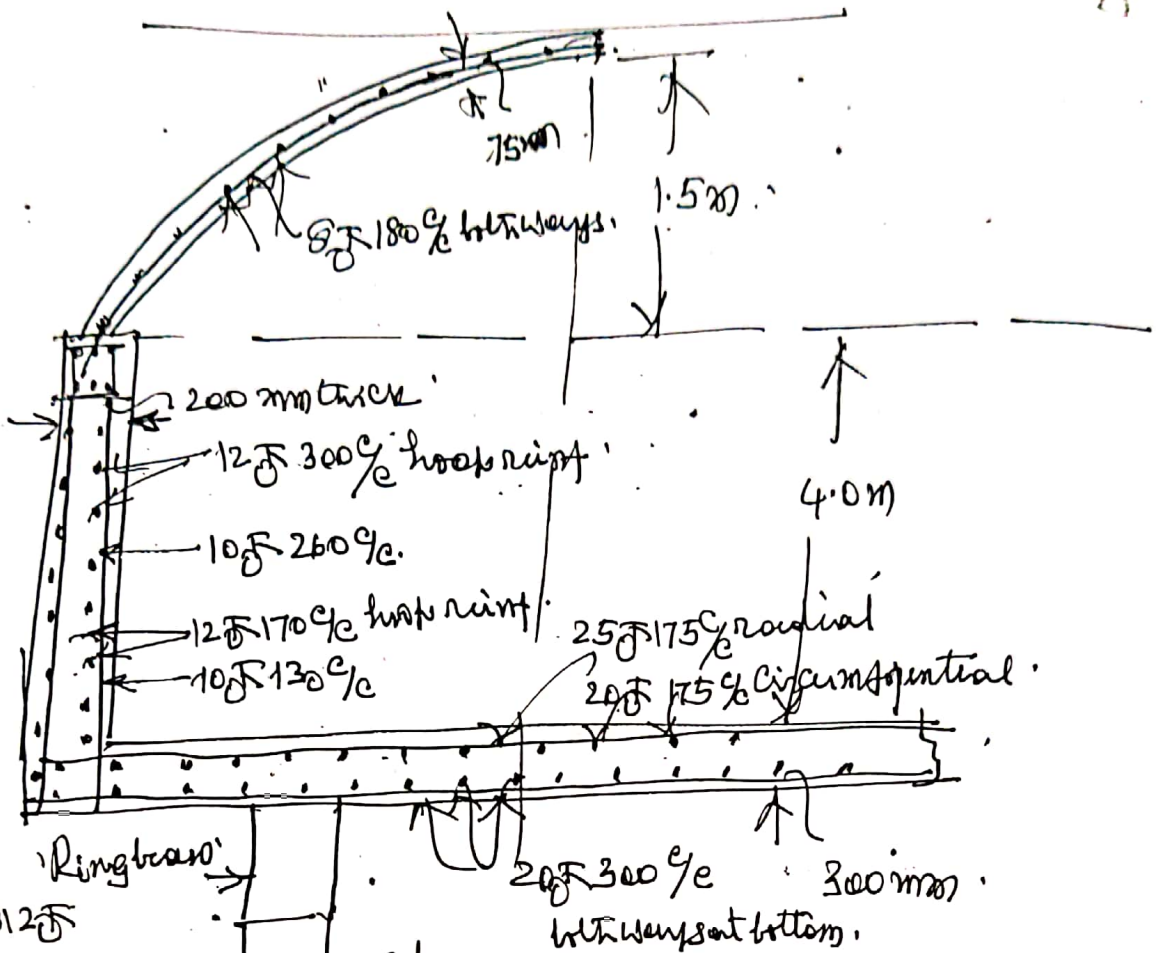
Hence provide 12 $\Phi$  2L 95%

Spacing may be increased to  $\frac{100 \text{ mm}}$  in form support.

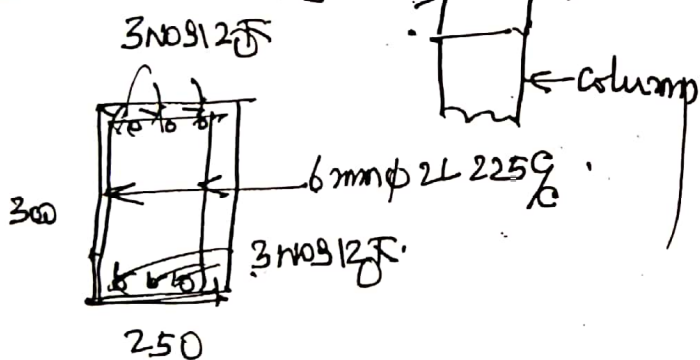
$$\text{Side face reinf. @ } 0.1\% = \frac{0.1}{100} \times 400 \times 550 = 229.8 \text{ mm}^2$$

Provide 1 No. 16 $\Phi$  at mid elevation both side faces.

# REINFORCEMENT DETAILS.

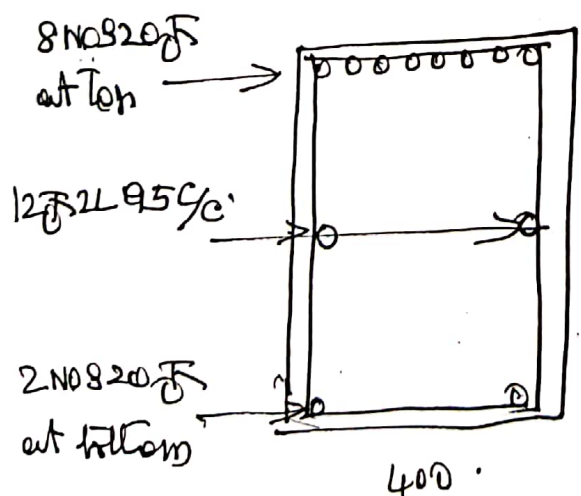


CROSS SECTION OF TANK.

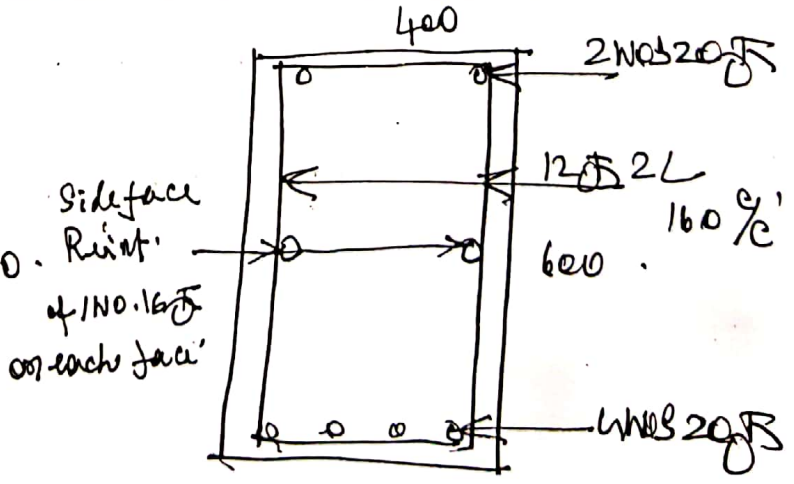


TOP RING BEAM

## BOTTOM RING BEAM DETAILS

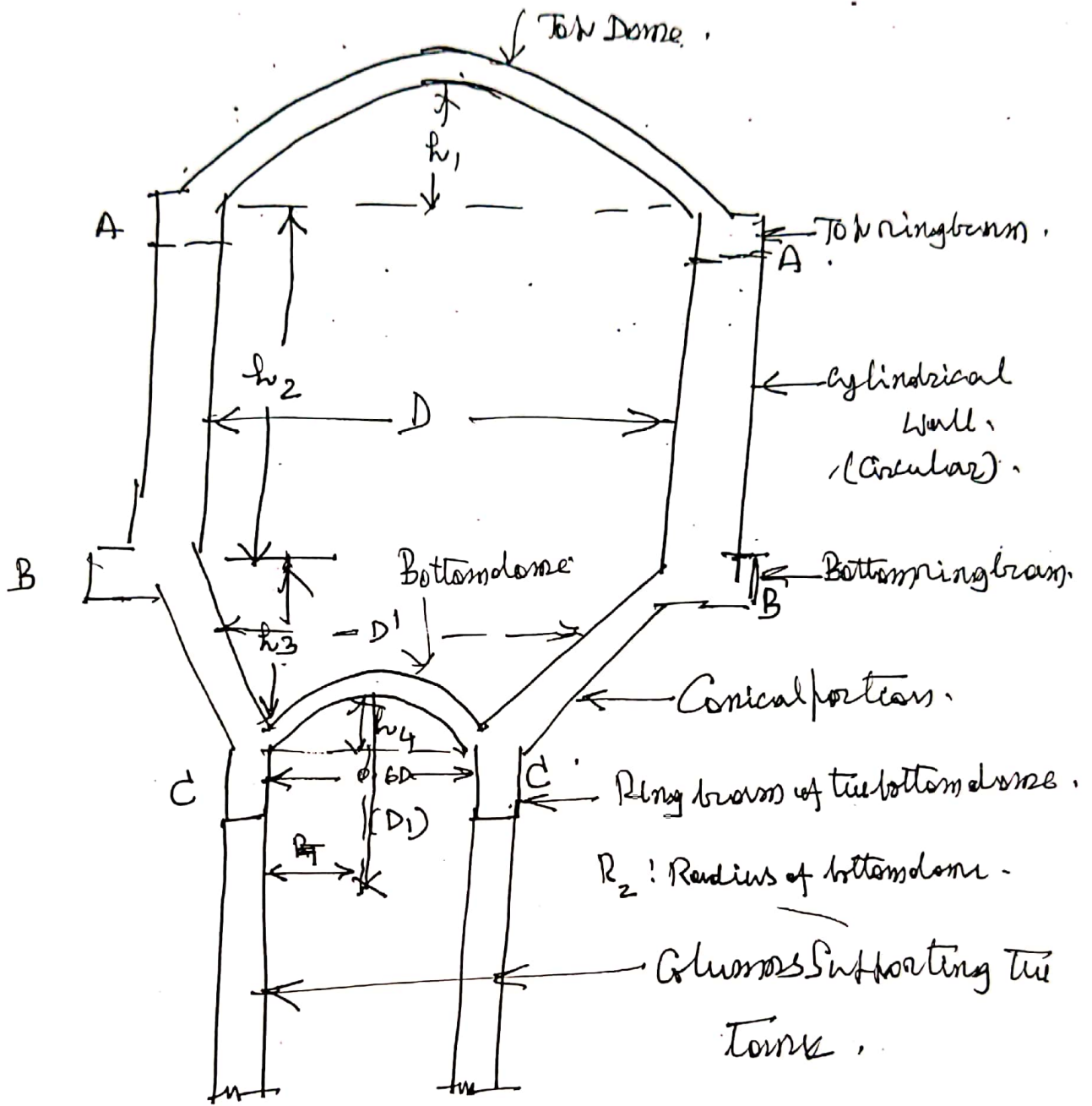


SECTION AT COLUMN SUPPORT



SECTION AT MIDSPAN

# INTZ TANK



## DIFFERENT COMPONENTS OF INTZ TANK

## Usual Proportions

Rise of top dome  $h_1 = D/4$

Ht. of cylindrical portion  $h_2 = 0.4D$

Height of conical dome =  $h_3 = 0.2D$

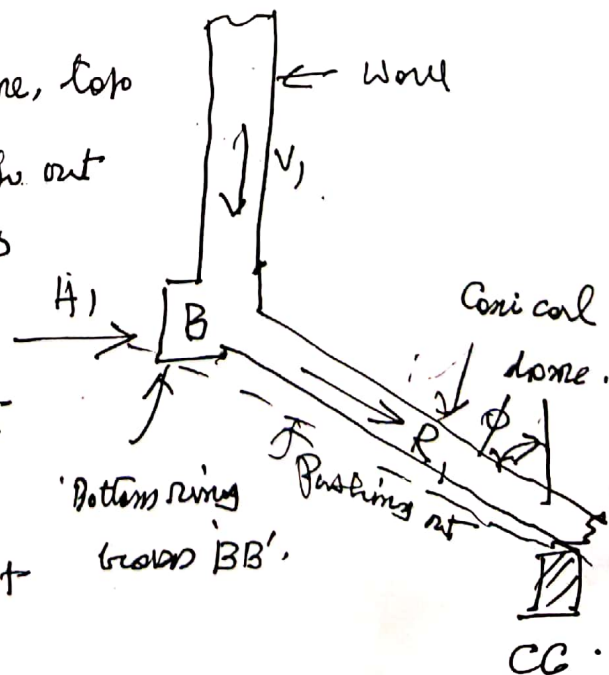
Rise of the bottom dome =  $h_4 = 0.4D$

Diameter of the bottom ring beam =  $0.6D$

## DESIGN OF VARIOUS COMPONENTS:

1. Design of top dome: (75 to 100mm thickness.  
Rise:  $D/4$ )
2. Top ring beam: Like the previous problem.
3. Cylindrical wall: Against hoop tensions completely.
4. Bottom ring beam.

$V_1$  = The load from the wall, top dome, top ring beam together tries to push out the ring beam 'BB'. ~~It has~~ <sup>It</sup> also ~~to assist by a~~ <sup>resistance</sup> to assist the rotation caused by the ring beam CC. Hence the ring beam is treated against  $V_1$  and  $H_1$ .



$$R_1 \sin \phi = H_1, \quad R_1 \cos \phi = V_1$$

$$\tan \phi = H_1/V_1; \quad H_1 = V_1 \tan \phi$$

where  $R_1$ : Resultant of  $V_1$  and  $H_1$

$$\text{Hence, tension in the ring beam} = H_1 \frac{D}{2}$$

$$= V_1 \tan \phi \times \frac{D}{2}$$

Hoop tension due to horiz. water pressure =  $\gamma h_2 \frac{D}{2}$

Hence total hoop tension in the ring beam B-B

$$= (V_1 \tan \phi + \gamma h_2) \frac{D}{2}$$

Hence, the ring is designed against that tension

and the cross sectional dimensions are decided.

### CONICAL DOME

This is subjected to meridional thrust as well as hoop tension.

$$\text{Load due to } V_1 = V_1 \pi D$$

Water load on the conical dome

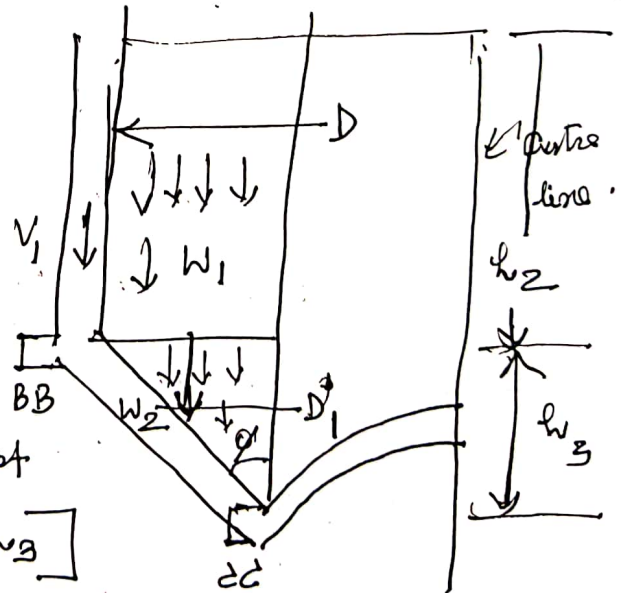
$$= W_1 + W_2$$

$$= \pi \left( \frac{D^2 - D_1^2}{4} \right) h_2 + \gamma \times \left[ \text{Volume} \right]$$

of frustum of cone - volume of

cylinder of dia.  $D_1$  and ht.  $h_3$

$$= W_w$$





$$= \gamma \left[ \frac{\pi}{4} (D^2 - D_1^2) h_2 \right] + \gamma (D^2 + D_1^2 + DD_1) - \gamma \frac{\pi}{4} D_1^2 W_3$$

Self wt. of conical dome =  $W = \pi \times \text{Ave. dia.} \times \text{Structuring length}$   
 $(W_3) \times \text{thickness} \times \text{Unit wt. of concrete.}$

$$= \pi \left( \frac{D+D_1}{2} \right) l \gamma_c$$

(concrete)

Total vertical load =  $\pi D V_1 + W_w + W_g$

Hence, vertical load / unit on the ring across 'c-c'

$$V_2 = \left[ \frac{\pi D V_1 + W_w + W_g}{\pi D_1} \right] \cos \phi$$

Hence, meridional thrust / unit =  $V_2 \cos \phi$

$$= \frac{(\pi D V_1 + W_w + W_g)}{\pi D_1} \cos \phi$$

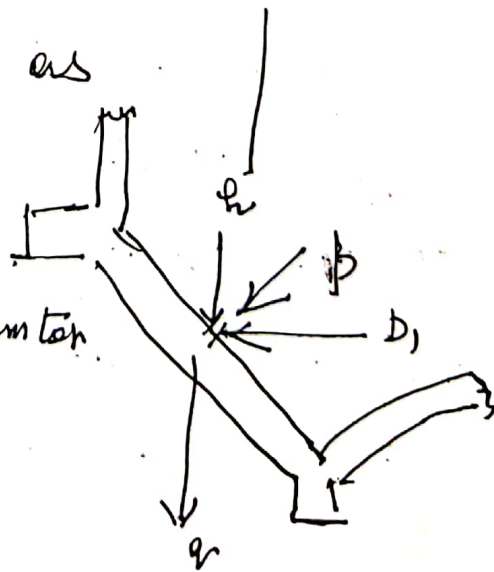
Stress is calculated as

$$T = (p \cos \phi + q \tan \phi) \frac{D_1}{2}$$

$p$ : due to water pressure over a height of 'h' from top

$q$ : self wt / unit area

Thickness is checked



## BOTTOM SPHERICAL DOME

Designed for meridional and circumferential forces produced due to wt. of water and self wt.

## BOTTOM RING GIRDER

Net horizontal thrust on the

bottom ring girder =

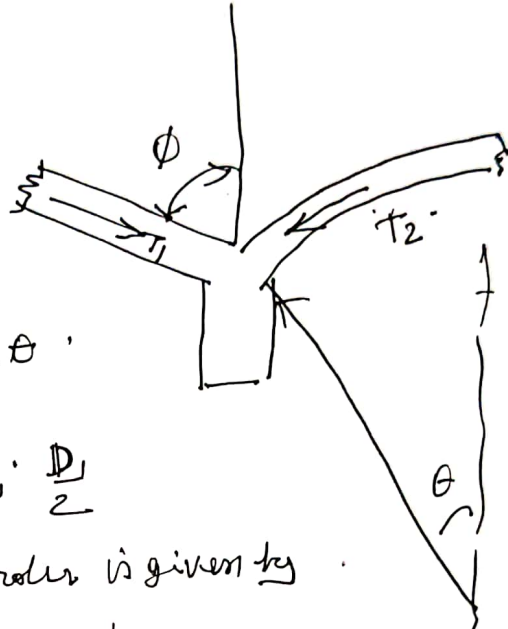
$$P_h = T_1 \sin \phi - T_2 \cos \theta$$

$$\text{Hoop Compression} = P_h \cdot \frac{D_1}{2}$$

Vertical pressure on the girder is given by

$$P_v = T_1 \cos \phi + T_2 \sin \theta \quad \text{Unit length}$$

Since, the ring girder is designed against these forces.



## CONTINUITY

Membrane Theory — Bending Theory

Continuity

# [INTZ TANK]:

DESIGN EXAMPLE: Design an intz type water tank of capacity 1 million lit. It is supported symmetrically by 8 nos of columns. Use M25 concrete with Fe 45 steel.

DESIGN DATA 1000000 lit. =  $1 \times 10^6$  lit. =  $1000 \text{ m}^3$

$$\sigma_{cbe} = 8.5 \text{ N/mm}^2, \quad \sigma_{ct} = 1.3 \text{ N/mm}^2; \quad \sigma_{ec} = 6 \text{ N/mm}^2.$$

$$\sigma_{st} = 150 \text{ N/mm}^2, \quad m = 11, \quad n = 0.384, \quad j = 0.872, \quad R = 1.423.$$

## DIMENSIONS OF THE TANK

Let the diameter of the cylindrical portion be  $D$ .

Height of the cylindrical portion =  $h_2 = 0.4D$ .

Dia. of the bottom ring girder =  $0.6D = D_1$

Ht. of the conical shell =  $h_3 = 0.2D$ .

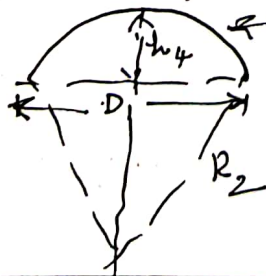
Rise of the bottom dome =  $h_4 = \frac{D}{7}$

Volume of the tank = Cylindrical portion

+ Conical portion → Volume of bottom dome.

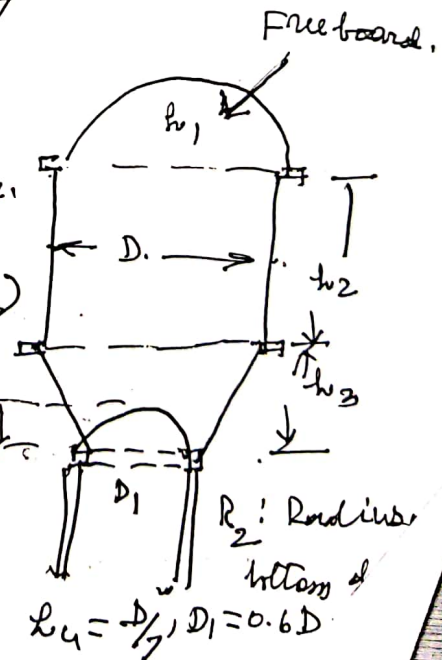
$$= \frac{\pi D^2 h_2}{4} + \frac{\pi h_3}{12} (D^2 + D_1^2 + D D_1) - \frac{\pi h_4}{4} (3R^2 - h_4^2)$$

$$= \frac{\pi D^2}{4} (2R_2 - \frac{D}{7}) = (0.6)^2 \frac{\pi D^3}{4} = (\frac{0.6 D_1}{2} \times \frac{0.6 D_1}{2})$$



Solving, we get

$$R_2 = 0.386 D$$



Substituting in two equations of volume, we get

$$V = \frac{\pi D^3}{4} (0.4D) + \frac{\pi}{12} \times 0.2D [D^3 + 0.36D^3 + 0.6D^3] - \frac{\pi \times (0.2D)^3}{3} (3 \times 0.36D - \frac{D}{7}) = 0.374D^3$$

Since  $0.374D^3 = 1000$ ,  $D = 13.88 \text{ m}$ . Provide  $D = 14 \text{ m}$ .

$$D_1 = 0.6D = 0.6 \times 14 = 8.4 \text{ m} \text{ 'Say } 8.5 \text{ m'}$$

$$h_2 = 0.4D = 5.5 \text{ m}, h_3 = 0.2D = 2.8 \text{ m}, h_4 = \frac{D}{7} = 2 \text{ m}$$

$$\text{Actual volume provided} = V \quad 2(2R_2 - 2) = \frac{85^2}{4}, R_2 = 5.52 \text{ m}$$

$$V = \frac{\pi}{4} \times 14^3 \times 5.5 + \frac{\pi}{12} \times 2.8 (14^3 + 85^3 + 14 \times 885) - \frac{\pi \times 2^3}{3} (3 \times 5.52 - 2) = 1069 \text{ m}^3$$

TOP DOME

$$\text{Diameter} = 14 \text{ m, rise} = \frac{D}{7} = \frac{14}{7} = 2 \text{ m}$$

Radius of the one of the dome is given by,

$$2(2R_1 - 2) = 7^2, R_1 = 13.25 \text{ m}$$

$$\text{Semicircle angle is } \phi = \cos^{-1} \left( \frac{13.25 - 2}{13.25} \right) = 31.89^\circ$$

Provide 75 mm thickness

$$\text{Self wt.} = 0.075 \times 1 \times 1 \times 25 = 1.875 \text{ kN/m}^2$$

$$L.L = 1.5 \text{ kN/m}^2$$

$$= 3.375 \text{ kN/m}^2$$

Adding F.L, say the total UDL on the dome =  $4 \text{ kN/m}^2$ .

$$\text{Meridional Thrust, } T_1 = \frac{\omega R_1 \cdot L}{(1 + \cos \phi)} = \frac{4 \times 13.25}{1 + \cos 31.89^\circ} = 23.66 \text{ kN/m}$$

$$\text{Hence, meridional stress} = \frac{23.66 \times 1000}{75 \times 1000} = 0.312 \text{ N/mm}^2 < 6 \text{ N/mm}^2$$

Hence ok.

$$\text{Circumferential stress } = T_2 = \omega R_1 \left[ \cos \phi - \frac{1}{(1 + \cos \phi)} \right]$$

$$T_2 = 4 \times 13.25 \left[ \cos 31.89^\circ - \frac{1}{(1 + \cos 31.89^\circ)} \right] = 16.34 \text{ kN/m}$$

$$\text{stress} = \frac{16.34}{75 \times 1000} = 0.216 \text{ N/mm}^2 < 6 \text{ N/mm}^2, \text{ ok.}$$

Provide nominal rivet of  $0.3\% = \frac{0.3}{100} \times 75 \times 1000 = 225 \text{ mm}$

Provide  $200^\circ$  both ways.

### TOP RING BEAM (BEAM A-A).

$$\text{Hoop tension} = T_1 \cos \phi \frac{D}{2} = 23.66 \times \cos 31.89^\circ \times \frac{14}{2} = 170.33 \text{ kN}$$

$$\text{Hence, } A_{st} = \frac{170.33 \times 1000}{150} = 1136 \text{ mm}^2$$

Provide 6 nos 16R ( $A_{st \text{ avl}} = 1206 \text{ mm}^2$ ).

By limiting direct tension in concrete, we get

$$1.3 = \frac{170.33 \times 1000}{A_c + 11 \times 1206}, \text{ solving } A_c = 11,757 \text{ mm}^2$$

Hence, provide  $400 \times 300 \text{ mm}$  top ring beam with 6 nos 16R  
Provide nominal shear rivet of  $6 \text{ mm} \phi$  @  $300^\circ$

## CYLINDRICAL WALL

$$\text{ hoop tension at the base} = \frac{9.8 \times 5.5 \times 14}{2} = 377.3 \text{ kN}$$

$$A_{st} = \frac{377.3 \times 1000}{150} = 2515 \text{ mm}^2$$

$$16 \phi \text{ on each face} = \frac{2 \times \frac{\pi}{4} \times 16^2}{2515} = 159 \text{ mm}$$

Hence, provide 16  $\phi$  150% on each face. ( $A_{st \text{ reqd.}} = 2680 \text{ mm}^2/\text{m}$ )  
To determine the thickness, we have

$$1.3 = \frac{377.3 \times 1000}{A_c + 11 \times 2680}, \text{ Hence } A_c = 260750 \text{ mm}^2$$

$$\text{Hence, } t = \frac{260750}{1000} = 260.75 \text{ mm}, \text{ Provide } t = 275 \text{ mm} \text{ as the const. over the entire ht.}$$

$$\text{Percentage of dia. steel} = 0.3 - 0.1 \left( \frac{275 - 100}{450 - 100} \right) = 0.25\%$$

$$\text{Area of dia. steel} = \frac{0.25}{100} \times 275 \times 1000 = 687.5 \text{ mm}^2$$

$$8 \phi \text{ on each face} = \frac{2 \times \frac{\pi}{4} \times 8^2 \times 1000}{687.5} = 146 \text{ mm. Provide } 8 \phi \text{ 140\% on each face vertically.}$$

Vertical bars of outer face are extended into the conical portion to provide continuity.

Spacing of hoop rings may be increased towards top.

Provide 12  $\phi$  140% from 2m. above the base. This can further be increased to 240 mm towards top.

## BOTTOM RING BEAM (B-B)

$$\text{Load from top dome} = T_1 \sin \theta = 24.66 \sin 81.89^\circ = 15.14 \text{ kN/m}$$

$$\text{Top ring beam} = 0.4 \times 0.3 \times 1 \times 25 = 3 \text{ kN/m}$$

$$\text{Wt. of wall} = 0.275 \times 5.5 \times 1 \times 25 = 37.81 \text{ kN/m}$$

$$\text{Self wt. of the ring beam (keeping 1.2m width and 600mm depth)} \\ = 1.2 \times 0.6 \times 1 \times 25 = 18 \text{ kN/m}$$

$$\text{Hence } V_1 = 15.14 + 3 + 37.81 + 18 = 73.95 \text{ kN/m}$$

Slope of conical dome with vertical is given by

$$\tan \phi = \frac{(D - D_1) / 2}{h_2} = \frac{(4 - 8.5) / 2}{2.8} = 0.982, \text{ Hence } \phi = 44.48^\circ$$

$$\text{Hoop tension due to } V_1 = V_1 \tan \phi \frac{D}{2} = 73.95 \times 0.982 \times \frac{14}{2} = 508.4 \text{ kN}$$

$$\text{Hoop tension due to water pressure} = 9.8 \times 5.5 \times \frac{14}{2} = 377.3 \text{ kN}$$

$$\text{Hence, total hoop tension in ring beam} = 508.4 + 377.3 = 885.7 \text{ kN}$$

$$A_{req} = \frac{885.7 \times 1000}{150} = 5905 \text{ mm}^2$$

$$\text{Providing } 20 \text{ nos of } 20 \text{ } \phi, A_{st}(\text{act.}) = \frac{\pi}{4} \times 20^2 \times 20 = 6283 \text{ mm}^2$$

$$\text{Area of concrete is given by, } \frac{885.7 \times 1000}{A_c + 11 \times 6283} = 1.3$$

$$\text{Hence, } A_c = 61219.5 \text{ mm}^2, \text{ Hence } 1200 \times 600 \text{ mm is adequate as per } \text{Slope.}$$

Provide 12  $\phi$  150 c/c nominal stirrups throughout.

## CONICAL DOME

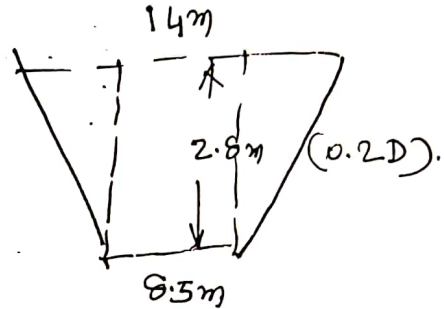
1) Load from Cylindrical Wall =  $V_1 \pi D = 73.95 \times \pi \times 14 = 3252.49 \text{ kN}$  (Total)

2) Wt. of water =  $V \gamma = \frac{\pi D^2 h_2}{4} \gamma = 1069 \times 9.8 = 10,476.2 \text{ kN}$

3) Self Wt. of Conical dome = Slanting length  $\times \pi \times$  Dia. at mid ht.  $\times 0.4 \times 25$ .

$$\text{Slanting length} = \sqrt{\left(\frac{14-8.5}{2}\right)^2 + 2.8^2} = 3.925 \text{ m.}$$

$$\text{Dia. at mid ht.} = \frac{(14+8.5)}{2} = 11.25 \text{ m.}$$



$$\text{Hence, Self Wt.} = 3.925 \times \pi \times 11.25 \times 0.4 \times 25 = 1387.2 \text{ kN.}$$

(400mm thickness is assumed.)

$$\text{Hence, total load} = 3252.49 + 10,476.2 + 1387.2 = 15115.9 \text{ kN.}$$

$$\text{Hence } V_2 = \frac{15115.9}{\pi \times 6.5} = 566.06 \text{ kN/m.}$$

$$\text{Meridional thrust} = V_2 \cos \phi = 566.06 \cos 44.46 = 403.68 \text{ kN/m.}$$

$$\text{Hence stress} = \frac{403.68}{400 \times 1000} = 1.01 \text{ N/mm}^2 < 6 \text{ N/mm}^2, \text{ okay.}$$

$$\text{At the top, hoop tension} = T = (\rho \cos \phi + q \tan \phi) \frac{D}{2}$$

$$q = 0.4 \times 1 \times 1 \times 25 = 10 \text{ kN/m}^2 \text{ (Self Wt.)}$$

$$p = 9.8 \times 5.5 = 53.9 \text{ kN/m} \text{ (Due to water.)}$$

$$\phi = 44.48^\circ$$

$$\text{Hence, } T = \left( 53.9 \cos 44.48^\circ + 10 \tan 44.48^\circ \right) \frac{14}{2} = 337.94 \text{ kN.}$$



$$A_{gt} = \frac{337.94 \times 1000}{150} = 2253 \text{ mm}^2$$
 on each face,  $A_{gt} = 1126.5 \text{ mm}^2$ , Provide 125% in each face.

Concrete cover in equilibrium,  $\frac{337.94}{A_c + 11 \times 2253} = 1.3$

Area  $A_c = 235.17 \text{ mm}^2$ , Thickness may be finally put out 300 mm (min).

At the inner edge Provide 8% 100% on each face.

BOTTOM SPHERICAL DOME.

Design incl. angle  $\phi = 45^\circ$  and water level,  $\phi = 50.38^\circ$

Provide 250 mm thickness with 8% 150% water ways on each face.

BOTTOM RING BEAM.

$T_1$ : Hydro tension at the bottom edge of the conical dome.

$$= (P_{\text{rad}} \times 4.4 \times 8 + 10 \text{ ton} \times 4.4 \times 8) \Rightarrow 252$$

$$P = 0.8 (5.57 \times 2.8) = 81.34 \text{ kN/m}^2, \text{ SMAH } \psi = 0.4 \times 1.1 \times 2.5 = 10$$

$$T_1 = (81.34 \times 4.4 \times 8 + 10 \text{ ton} \times 4.4 \times 8) \times 0.5 = 298.38 \text{ kN}$$

$T_2$  = Meridional force coming from the bottom dome at the joint

$$T_2 = 217.7 \text{ kN/m}$$

Area, Vertical load on tank bottom =  $(T_1 \cos \phi + T_2 \sin \phi) = 288.38 \text{ cd } 4.4 \times 8 + 217.7 \sin 50.38 = 573.5 \text{ kN/m}^2$

Assuming a section of  $600 \times 1200 \text{ mm}$ ,

$$\text{Self wt.} = 0.6 \times 1.2 \times 25 = 18 \text{ kN/m}$$

$$\text{Total vertical load on the ring beam} = 391.4 \text{ kN/m}$$

$$\text{There are 8 nos. columns. Hence, } \phi = \frac{360}{8} = 45^\circ = \frac{\pi}{4}$$

$$\text{Hence, Max. S.F.} = \frac{391.4 \times 8.5 \times \frac{\pi}{4}}{2} = 1306.5 \text{ kN}$$

From the tables, the various  $C_{rff}$  are,

$$\text{for } \phi = 45^\circ, \quad k = 0.066, \quad k' = 0.030, \quad k'' = 0.005, \quad \alpha = 9.33^\circ$$

Hence, we obtain the

$$\text{Max. Support moment} = 366.5 \text{ kNm, Mid span moment} = 166.6 \text{ kNm}$$

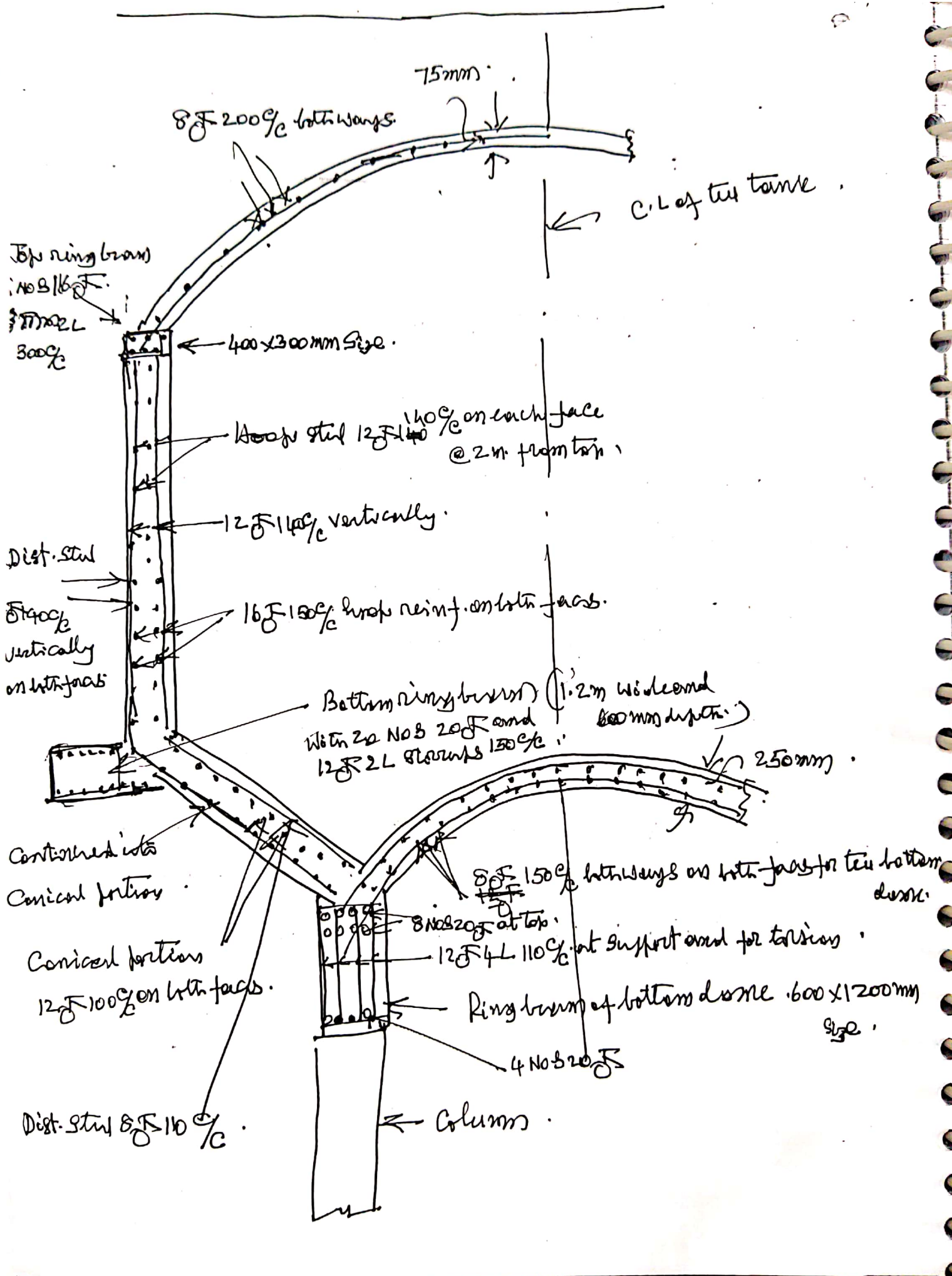
$$\text{Torsional moment} = 27.6 \text{ kNm at } 9.33^\circ \text{ from the Support}$$

Provide 8 nos 20 mm at Support, 4 nos 20 mm (Half) at mid span,

8 nos 20 mm are continued for torsion also.

12 $\phi$  2L 100 $\phi$  stirrups are provided. It is inclined to 22 $\phi$  towards middle.

Side face rivet (at 0.1 $\phi$ ): Provide 3 nos 12 $\phi$  on each face.



# DESIGN OF STAGING:

EXAMPLE. Design a tower of 12m height to support ~~the~~ an  
 intz tower (designed already), Assume wind pressure  $1.5 \text{ kN/m}^2$ .  
 Provide 8 nos of Columns symmetrically.  
 Assume the following details:

SOLUTION.

Total load from the tower on  
 to the columns =  $391.4 \text{ kN}$ .

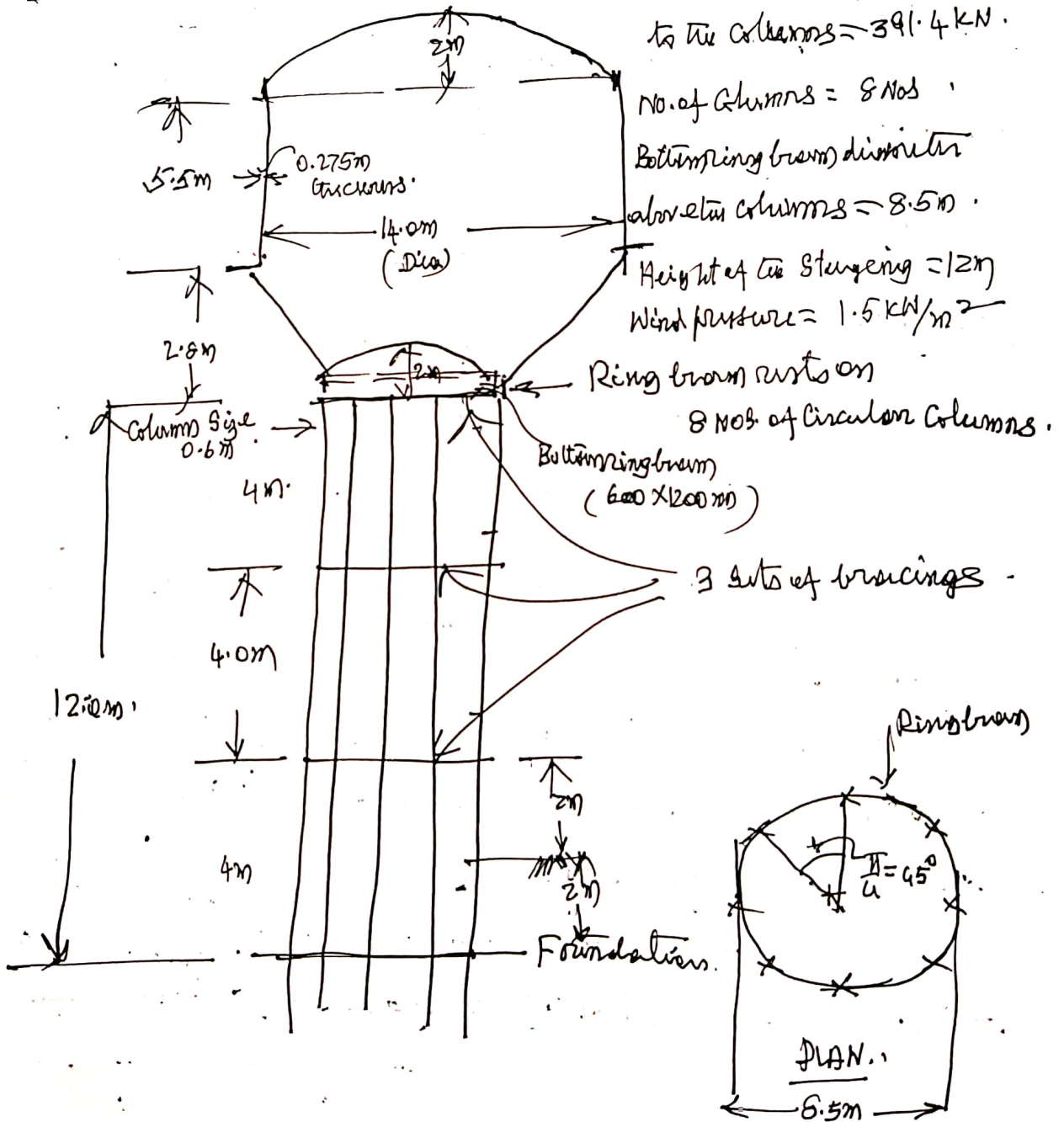
No. of Columns = 8 Nos

Bottoming beam diameter

above the columns =  $8.5 \text{ m}$ .

Height of the Staging =  $12 \text{ m}$

Wind pressure =  $1.5 \text{ kN/m}^2$



## VERTICAL LOADS ON EACH COLUMN:

Total load from the beam =  $391.4 \text{ kN/m}$  (Total for design of ring beam)

Load on one segment (between two columns) of ring beam

$$\frac{1}{8} \times 20 \times \text{length of arch} = 391.4 \times \frac{8.5}{2} \times \frac{1}{4} = 1306.47 \text{ kN}$$

$$\text{Self wt. of column (Assuming } 700 \text{ mm dia)} = \frac{\pi}{4} \times 0.7^2 \times 2.5 \times 25 = 115.45 \text{ kN}$$

Wt. of floors (Assuming  $300 \times 600 \text{ mm}$  beam and length of each floor (3 nos))

$$= \frac{6.5}{2} \times \frac{\pi}{4} = 3.33 \text{ m}$$

$$= 3 \times 0.6 \times 0.6 \times 3.33 \times 2.5 = 45 \text{ kN}$$

$$\text{Total vertical load on each column} = 1306.47 + 115.45 + 45 = 1467 \text{ kN}$$

## WIND LOADS.

$$\text{Intensity} = 1.5 \text{ kN/m}^2 \text{ (given)}$$

Tower shape factor for circular structure = 0.7

Wind load on dome, cylindrical wall and conical dome

$$= 1.5 \times 0.7 \left[ \frac{2}{3} \times 14 \times 2 + \underbrace{(14 + 2 \times 0.275)}_{\text{(Ext. dia)}} \times 5.5 + \underbrace{(4.6 + 9.1)}_{\text{(Int. dia)}} \times 2.8 \right] = 138.46 \text{ kN}$$

Centroid of all the above projected areas is found. Assuming that the total wind load is acting at 0.52D from top of column ring

girders = 7.3 m. above the top of the bottom ring girder.

Assuming the height of conical base of the column is 10 m. below the

bottom ring girder, the total ht. =  $7.3 + 10 + 2.5 = 20.5 \text{ m}$

above the height of conical base of the column.

Wind load on the bottom ring girder =  $1.5 \times 0.7 \times 1.2 / (8.5 + 2 \times 0.6)$   
 $= 12.2 \text{ kN}$  (0.7 is the shape factor)

Wind load on <sup>circular</sup> Columns (SWs) =  $1.5 \times 0.7 \times 0.7 \times 12 \times 8 = 70.4 \text{ kN}$   
 (0.7 is the shape factor and 0.7 is the diameter of the column.)

Wind load on the bracings (straight) =  $1.5 \times 0.3 \times 0.6 \times 8.5 \times 2 = 4.6 \text{ kN}$

(Projected length of 8.5 m is taken for each brace for windward and leeward directions)

Hence, wind load on columns and braces =  $70.4 + 4.6 = 75 \text{ kN}$   
 acting at the C.G. taken at mid height i.e. 6 m above the base.

Hence, total wind moment at the base of all the columns of stenging

=  $138.46 \times 20.5 + 12.2 \times 12.60 + 75 \times 6 = 3434.83 \text{ kNm}$   
 (Due to tank) (Bottom ring beam) (columns and braces)

If 'V' is the vertical force produced in each column and turning moments

about the C.G. of the column group.

Total moment =  $\frac{V}{2} \leq a^2$

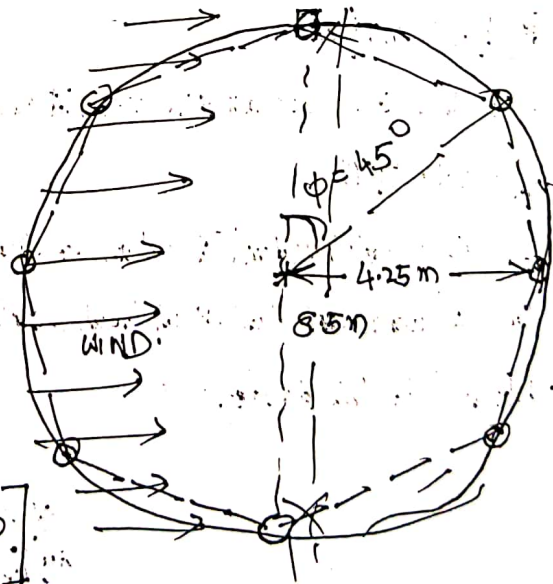
Where 'a' is the distance of the centre of the column from the C.G. in the horizontal direction

Hence,

$3434.83 = \frac{V}{2} \left[ 2 \times 4.25^2 + 4 \times \left(\frac{4.25}{\sqrt{2}}\right)^2 + 2 \times 0 \right]$

Hence, force in one column:  $V = 202 \text{ kN}$

Hence, Max. load on each column =  $1467 + 202 = 1669 \text{ kN}$



Total Wind load =  $135.46 + 12.2 + 75 = 225.6 \text{ kN}$

COLUMN DESIGN

Total vertical load =  $1467 \text{ kN}$ ; Axial force due to wind =  $202 \text{ kN}$

Hence, total load =  $1669 \text{ kN}$

Factored load for DL and LL =  $1.5 \times 1467 = 2200.5 \text{ kN}$

Factored load including wind =  $1.2 \times 1669 = 2002.8 \text{ kN}$

Hence D.L and L.L are critical, Factored design load =  $2200.5 \text{ kN}$

Using  $(\frac{1}{2}$  reinforcement)  $P_u = 0.4 f_{ck} A_c + 0.67 f_y A_{se}$  (Comp. p.)

Hence,  $2200.5 \times 10^3 = 0.4 \times 25 \times A_c + 0.67 \times 415 \times 0.01 A_c$

Solving,  $A_c = 173534 \text{ mm}^2 = \frac{\pi}{4} D^2$ , Hence  $D = 470 \text{ mm}$

Provide  $D = 500 \text{ mm}$  (Diameter for the Circular Column)

Hence steel  $A_{se} = 0.01 \times \frac{\pi}{4} \times 500^2 = 19635 \text{ mm}^2$

Provide 8 Nos 16 $\phi$  with lateral tie of 6 mm 250%

BRACING

Provide  $300 \times 600 \text{ mm}$  size with 5 Nos 16 $\phi$  on each face with 8 $\phi$  2L 310 C

FOUNDATION

Provide independent circular footings for columns as the wind load is not critical in the design

